

NOVEMBER/DECEMBER 1985 **VOLUME 1, NUMBER 6** 

# Articles

# $C_2H_n$ Fragments on Metal Surfaces

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Received April 30, 1985. In Final Form: September 3, 1985

The chemisorption of an acetylene (HCCH), a vinylidene  $(CCH_2)$ , and an ethylidyne  $(CCH_3)$  on metal surfaces, especially Pt(111), is analyzed in some detail, with an emphasis on the electronic rearrangements ensuing. The bonding is described in terms of semilocalized states, in turn obtained via a deconvolution of the total density of states into fragment orbitals of the hydrocarbon and the surface. The geometrical choices made by the various fragments on surfaces are analyzed by simple perturbation theory. It is found that in general the bonding within both the hydrocarbon fragment and the surface is dramatically weakened, as indicated by the changes in overlap populations that result. The more surface atoms are involved in anchoring the adsorbate, the weaker the bonding within the surface becomes. A nondissociative chemisorption is the result of a compromise and is operative when the price of the binding energy is evenly distributed over the loss of bonding within the adsorbate and the surface. Surface reconstruction and dissociative chemisorption are to be expected as a consequence of the two extreme situations that may occur: A filling of metal-metal antibonding states would lead to surface reconstruction, whereas excessive population of carbon-carbon antibonding orbitals would drive a dissociative chemisorption. The two patterns are illustrated by a would-be 4-fold adsorption of  $C_2H_2$  on Pt(111) and the chemisorption of  $C_2H_2$  on Fe(100), respectively. In the latter it is shown that the entire carbon-carbon bonding energy is passed to the metal-carbon bonds, in a kind of bonding transfer. We find a special role for the bulk-centered states, that of a reservoir which can be alternatively filled or emptied depending on the metal atoms constituting the surface. Throughout the paper a comparison is made between the binding of the fragments to the metallic surface and to discrete transition-metal fragments in organometallic chemistry.

Chemistry has been enriched in the last 2 decades by an exponentially growing literature dealing with small molecules chemisorbed on metal surfaces. The reason for this expansion of our knowledge lies in a combination of three factors: (i) an advancing technology which has allowed the development of highly sophisticated spectroscopic tools relevant to surface studies,<sup>1</sup> (ii) an increased interest in many catalysis-related phenomena,<sup>2</sup> and (iii)

the general feeling, induced by numerous experimental results, that discrete metallic clusters and metal surfaces should and do exhibit similar reactivity patterns, the socalled cluster-surface analogy.<sup>3,4</sup> In this context, a much investigated topic is that of the bonding and reactivity of

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acetylene on metal surfaces.<sup>5</sup> A large body of experimental information has now become available for different metal atoms constituting the surfaces as well as for systems involving a variety of crystal faces.

Let us review briefly the results and conclusions of these experimental studies. A number of techniques (low energy electron diffraction, electron energy loss spectroscopy, photoelectron spectroscopy, photoemission) have been used to ascertain the geometry and the adsorption site of  $C_2H_2$  on Pt(111). Although believed at one time to be sitting on top of one metal atom,<sup>6</sup> the acetylene is now considered most likely to occupy a bridging position of the hexagonal lattice of Pt(111).<sup>4d</sup> The geometry is that depicted in 1. Note the bending of the hydrogens away from



the surface. Also, the HCCH plane is not perpendicular to the surface; the  $C_2H_2$  "leans" over a third metal atom, presumably to gain some extra bonding. The acetylene is essentially in a di- $\sigma/\pi$  type of geometry similar to that observed in several trinuclear complexes.<sup>7</sup> Upon heating, the next species clearly detected on the surface is an ethylidyne fragment (C-CH<sub>3</sub>) lying on top of a 3-fold hollow, as in 2. The step taking 1 into 2 is thought to



transit via a vinylidene species<sup>5f</sup> which ultimately picks up a coadsorbed hydrogen atom. The formation of a  $C-CH_2$ fragment on the surface has found some support in the recent literature.<sup>8</sup>

It is interesting to compare the overall behavior of  $C_2H_2$ on Pt(111) and on other surfaces. For example, it has been demonstrated<sup>50</sup> that the acetylenic bond is cleaved at low temperature on the square lattice of the Fe(100) surface. The hydrocarbon there is initially bound in a 4-fold manner, 3. However, on Cu(111), featuring the same







was shown<sup>5v,9</sup> to desorb intact at 350 K. Finally, on Ni-(111), also hexagonal, the  $C_2H_2$  unit is adsorbed in a similar way as on Cu(111), with some slight distortion of the hydrogens leading to a decrease in the overall symmetry as inferred from spectroscopic evidence.<sup>10</sup> In contrast to the adsorption on Cu(111), the hydrocarbon on Ni(111) undergoes some bond-breaking processes upon heating; it does not desorb intact.

These experimental observations raise many questions. In this contribution we will dwell specifically on the following points: (i) the electronic factors governing the geometrical choice made by  $C_2H_2$ ,  $CCH_2$ , and  $CCH_3$  on Pt(111), (ii) the reasons for a different adsorption site and reactivity of  $C_2H_2$  when chemisorbed on Pt(111), Cu(111), and Ni(111), and (iii) the tremendous lowering of the barrier for the dissociation of  $C_2H_2$  into two C-H fragments upon chemisorption on Fe(100). We shall try to generalize our conclusions and provide a general picture for the phenomenon of chemisorption in terms of the electronic changes occurring in both the adsorbate and the metallic surface.

We should direct the reader here to a number of excellent previous theoretical studies of the acetylene-metal surface system. Due in most part to A. B. Anderson<sup>11</sup> and

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<sup>(6)</sup> G. A. Somorjai in ref 2a.

<sup>(7)</sup> See, for example: Bernhardt, W.; Vahrenkamp, H. Angew. Chem. 1984, 96, 139.

<sup>(8)</sup> Wang, P.-K.; Slichter, C. P.; Sinfelt, J. H. Phys. Rev. Lett. 1984, 53, 81.

<sup>(9)</sup> Yu, K. Y.; Spicer, W. E.; Lindau, I.; Pianetta, P.; Lin, S. F. Surf. Sci. 1976, 57, 157.

<sup>(10)</sup> See ref 5s for a discussion of this point.



Figure 1. Frontier orbitals of  $d^{10}$ -ML<sub>2</sub>,  $d^8$ -ML<sub>3</sub>,  $M_2L_{2n}$ , and  $M_3L_{3n}$  fragments.

Simonetta,<sup>12</sup> these cluster calculations<sup>13</sup> were devoted primarily to the energetics of the system. We shall focus on the nature of the bonding between the chemisorbed species and the surface as well as the electron reorganization induced by chemisorption. Our arguments are based primarily on symmetry and overlap considerations supplemented by calculations of the tight-binding<sup>14</sup> type, within the formalism and framework of the extended Hückel method.<sup>15</sup> The geometrical and computational details not mentioned in the main body of the text may be found in Appendixes 1 and 2, respectively.

Since one of the problems we want to tackle is that of the choice made by  $C_2H_2$  for its adsorption site<sup>16</sup> on a

hexagonal surface, let us first enumerate the different possibilities available. In 5a-d are drawn from a top view,



an on top, a 2-folding bridging, a 3-fold bridging, and a 4-fold bridging geometry-no consideration is yet made of the coverage of the surface. In 5 and the remainder of the paper, the stick with the two triangles at its ends represents an acetylene with the two hydrogens bent away from the surface, in a top view. One could imagine that the bonding in 5a-d is simply modeled by what we know about discrete transition-metal complexes. Indeed, there is certainly an analogy between 5a-c and an acetylene bound to a mono-, bi-, and trinuclear complex, respectively. In 5d  $C_2H_2$  may be considered as attached to a binuclear frame in a perpendicular fashion, as opposed to 5b, where the C-C bond is parallel to a metal-metal bond. However, these similarities hold only locally. The surface represents in fact a cluster, but one of *infinite* nuclearity. The conventional interaction diagram generated by combinations of discrete levels is not applicable and must be substituted by interaction between groups of states. We will return to this point later. It turns out, however, that the analysis of the interactions in the solid is made easier by prior knowledge of the related interactions taking place in discrete complexes. For this reason we turn now to a brief

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 <sup>(13)</sup> Other calculations of the cluster type on this subject may be found in: (a) Kobayashi, H.; Teramae, H.; Yamabe, Y.; Yamagushi, M. Surf. Sci. 1984, 141, 580. (b) Baetzold, R. C. Chem. Phys. 1979, 38, 315.

 <sup>(14)</sup> Numerous textbooks are available for an introduction to the tight-binding approximation: Ashcroft, N. W.; Mermin, N. D. "Solid State Physics"; Saunders: Philadelphia, 1976. Callaway, J. "Energy Band Theory", Academic Press: New York, 1964. Harrison, W. A. "Solid State Theory"; Dover Publications Inc.: New York, 1980.
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<sup>(16)</sup> For a discussion of the active sites on Pt(111), see: Somorjai, G. A. Adv. Catal. 1977, 26, 1.

review of the forces holding together an acetylene and a mono-, bi- and trinuclear transition-metal fragment. Another justification for going through this process is our intent eventually to compare the bonding of  $C_2H_2$  with transition-metal fragments and metal surfaces.

#### C<sub>2</sub>H<sub>2</sub> on Discrete Transition-Metal Fragments

In this section, we would like to extract the essence of the electronic requirements for the formation of acetylene complexes. First the topology of the transition-metal fragment orbitals in these systems is reviewed. The fragments under consideration here are those that *locally* mimic the adsorption sites described in 5a-c, that is, a mono-, bi- and trinuclear fragment, respectively. In Figure 1 are displayed the frontier orbitals of prototype  $ML_n$ ,  $M_2L_{2n}$  and  $M_3L_{3n}$  units for which acetylene complexes are well established.<sup>17</sup> Before commenting further on Figure 1, let us remind the reader of the orbitals of a coordinated acetylene. In increasing order of energy, one finds  $\pi$ ,  $\pi_{\sigma}$ ,  $\pi_{\sigma}^{*}$ , and  $\pi^{*}$  all depicted in 6. The detailed description of



this pattern may be found elsewhere.<sup>17b</sup> With the convention of using a neutral acetylene as ligand, only  $\pi$  and  $\pi_{a}$  are filled, each with two electrons. Returning to Figure 1, at left are the valence orbitals of both a  $d^{10}$ -ML<sub>2</sub> and a d<sup>8</sup>-ML<sub>3</sub> fragment.<sup>18</sup> Next, a schematic picture has been used to display the frontier orbitals of a  $M_2L_{2n}$  unit.<sup>17b</sup> The reason for the two different entries (|| and  $\perp$ ) will become apparent shortly. Finally on the right-hand side of Figure 1, the upper frontier orbitals of a  $D_{3h}$  M<sub>3</sub>L<sub>3n</sub> unit are displayed.<sup>19a</sup> The splitting of the  $M_2L_{2n}$  case into two distinct possibilities is motivated by the differentiation that has to be made between a parallel acetylene, 7a, and a per-



pendicular one, 7b.

Upon coordination of an acetylene, the orbitals boxed by a dashed line in Figure 1 combine with  $\pi_{\sigma}$  and  $\pi_{\sigma}^{*}$  to produce the MO's shown in 8 and 9. The reader will have noticed that the forward donation components from the acetylene to the metals are gathered in 8 whereas the back-donating ones are displayed on the right, in 9. What we have done in 8 and 9 is simply to extract for each complex the two interactions lying at the heart of the universally known Dewar-Chatt-Duncanson model.<sup>20</sup>



Beyond this apparent simplicity and similarity in the bonding scheme of all these systems, there are differences. The latter will have important ramifications when we deal with the case of an acetylene on a metal surface and therefore deserve further comments. First, we have ignored in the previous considerations the role of the perpendicular  $\pi$ -type orbitals,  $\pi$  and  $\pi^*$ . The reason is that the extent of their involvement in the overall picture varies considerably, depending on the transition-metal fragment the  $C_2H_2$  is bound to. A detailed study of the binuclear and trinuclear systems<sup>17b,19a</sup> shows that  $\pi$  and  $\pi^*$  are al-lowed to mix into  $\pi_{\sigma}$  and  $\pi_{\sigma}^*$ , respectively. Such is the case for trinuclear complexes of type 10. An interaction such



as 11 (given here only as a representative example) is crucial in this system. Although the perpendicular  $\pi$  and  $\pi^*$  components of  $C_2H_2$  have been shown recently to be active participants in the electronic structure of mononuclear complexes,<sup>21</sup> it seems that their contributions are more important as the nuclearity of the metallic fragment increases. We will see soon how this translates in the surface case.

The second point we would like to discuss concerns the orbital pattern of the metallic units. From both Figure 1 and 8,9, it is quite clear that the metal fragment must present in one form or another some type of low-lying vacant orbital of the appropriate symmetry to accept the flux of electrons from  $\pi_{\sigma}$ . Similarly a filled metal-centered MO must be present to back-donate into  $\pi_{\sigma}^*$ . In other words, the transition-metal fragment has to be both electronically and coordinatively unsaturated. However, a careful look shows that in this respect the  $d^{10}\mbox{-}ML_2$  case is unique. The acceptor orbital is not metal d centered but rather a sp hybrid on the metal. The d shell of the metal is filled before interaction with an acetylene. Because of its constitution, this sp hybrid lies perforce rela-

<sup>(17) (</sup>a) For ML<sub>n</sub>, see: Otsuka, S.; Nakamura, A. Adv. Organomet. Chem. 1970, 14, 245. (b) For  $M_2L_{2n}$  see: Hoffman, D. M.; Hoffmann, R.; Fisel, C. R. J. Am. Chem. Soc. 1982, 104, 3858 and references therein. (c) For M<sub>3</sub>L<sub>3n</sub>, see: Sappa, E.; Tiripicchio, A.; Braunstein, P. Chem. Rev. 1983, 83, 203

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(19) (a) Schilling, B. E. R.; Hoffmann, R. J. Am. Chem. Soc. 1979, 101, 3456. (b) In Fe<sub>3</sub>(CO)<sub>9</sub>, both 2a<sub>1</sub> and 2e are empty. The 2e(s) component mixes in second order in the acetylene complex.<sup>19a</sup>
(20) (a) Dewar, M. J. S. Bull. Soc. Chim. Fr. 1951, 18, C71. (b) Chatt, U. D. D. 2020.

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<sup>(21)</sup> Tatsumi, K.; Hoffmann, R.; Templeton, J. L. Inorg. Chem. 1982, 21, 466.

Table I. Occupation of  $\pi_{\sigma}$  and  $\pi_{\sigma}^*$  in 12a,b

ML <sub>n</sub>	$d^{10}$ - $ML_2$	d <sup>8</sup> -ML <sub>3</sub>
occupation of $\pi_q$	1.83	1.69 ·
occupation of $\pi_{\sigma}^*$	0.53	0.13

tively high in energy in comparison to  $\pi_{\sigma}$ . Recall that from the simple perturbation expression

$$\Delta E = \frac{|H_{ij}|^2}{E_i^\circ - E_j^\circ}$$

the stabilization of the lower orbital in a two-orbital interaction is governed by the energy difference between the two levels before interaction and by the overlap between the two wavefunctions representing these two states. What this implies is that in the *initial* stages of the reaction taking a free C<sub>2</sub>H<sub>2</sub> molecule to a complexed form with a  $d^{10}$ -ML<sub>2</sub> unit, the dominant interaction is not the one involving forward donation from  $\pi_{\sigma}$  of  $C_2H_2$  into this sp hybrid but rather that involving the back-donation component. This follows because of a much better energy match between the donor of the metal and  $\pi_{\sigma}^{*}$ . In the case of a metal-d centered acceptor, the initial stabilization is due to the forward donation term.<sup>22</sup> Maybe we can provide a more quantified illustration of these considerations by the following: let us take  $(CO)_2Pt(C_2H_2)$  and HPt- $(CO)_2(C_2H_2)^+$  in a geometry before 100% of the bonding between Pt and  $C_2H_2$  is turned on, for instance at a Pt-C(acetylene) distance of 2.60 Å (see 12a,b). The two



structures represent examples of incipient  $C_2H_2$  d<sup>10</sup>-ML<sub>2</sub> and  $C_2H_2$  d<sup>8</sup>-ML<sub>3</sub> complexes. The direction of the electron density flow may be measured by computing in the two systems the occupation of  $\pi_{\sigma}$  and  $\pi_{\sigma}^{*}$ . The numerical values are gathered in Table I. The implication of these numbers is that in the process of forming 12a and 12b, the driving interactions are different in the two cases. Clearly in the d<sup>10</sup>-ML<sub>2</sub> system  $\pi_{\sigma}^{*}$  is occupied to a greater extent in the early stages of the reaction than  $\pi_{\sigma}$  is depopulated. The reverse phenomenon occurs for the  $d^8$ -ML<sub>3</sub> complex. In general one can say that with respect to acetylene, a  $d^{10}$ -ML<sub>2</sub> unit is a better base, in the Lewis sense, and a  $d^8$ -ML<sub>3</sub> unit is a better acid. The conclusion emerging from this discussion is that the direction in which the ultimate synergistic motion of the electrons is initiated depends substantially on the d-electron count of the transitionmetal fragment. In the same line of thought, for a given ML, unit the sense of the *initial* flux of electron is governed by the energy of the frontier orbitals of the incoming ligand relative to those of the metals.

We next want to see how these considerations translate when the metallic fragment is substituted by a metallic surface. At this point, a word must be said about the organization of the rest of the paper. We first review the concepts and tools used throughout the remaining part of this work. Next, a detailed study of the chemisorption of  $C_2H_2$  onto a Pt(111) is undertaken. The electronic features associated with each particular adsorption site are analyzed. By use of the  $C_2H_2/Pt(111)$  problem as a "worked example", the adsorption of  $CCH_2$  and  $CCH_3$  on Pt(111)is described at a somewhat faster pace. Finally, the reader being then acquainted with the general spirit of this study, the behavior of  $C_2H_2$  on other surfaces is examined. The emphasis at that point will be put on reactivity rather than on static interactions. In our attempt to understand the influence of the d-band filling of the metal, the choice of the Fe(100) and Cu(111) surfaces was guided by the reasonably large amount of experimental information available for these two systems.

#### **Concepts and Tools**

A metallic surface, with or without a chemisorbed species on it, is a two-dimensional solid.<sup>23</sup> As such, and within the usual approximation of a perfect lattice, it possesses the fundamental property of any crystal, namely, translational symmetry. A wave function, if it is to represent a particular electronic state of such a system, must reflect this periodicity. One has therefore to utilize the so-called Bloch functions. The latter, beside the fact that they conveniently<sup>24</sup> meet the previous requirement, depend on the location in reciprocal space of the wave under consideration. Any Bloch function representing a state n is characterized by an index, k, and written  $\Psi_k^{(n)}(r)$ . The crucial consequence of this double-index dependence is that any single state, any eigenvalue of the Schrödinger equation for the unit cell, generates as a function of k a very large<sup>25</sup> number of levels all representing eigenstates of the Schrödinger equation for the solid; a band is born. Thus, it is clear that the number of bands is equal to the number of basis functions in the unit cell. In other words, each molecular orbital of the unit cell generates one band. Each particular k point along this band is associated with a particular nodal structure of the crystal orbital. From these considerations,<sup>26</sup> it is apparent that one cannot, in the electronic structure description of a solid, deal with one level at a time. As mentioned earlier, one is forced to talk in terms of groups of states. This is conveniently done by borrowing the language used by solid-state physicists: an energy level diagram becomes a density of state (DOS from now on) plot; the HOMO is named the Fermi level; etc. Because at any arbitrary k point a crystal orbital is represented by a complex function of k, one may be scared by the loss of physical and pictorial insight that ensues. In other words, can we still apply frontier orbital ideals when one deals with bonding in the solid? The answer in an informal way is "Yes, if one gets used to thinking about the properties of bunches of levels", and the density of states formalism is the right way to do this.

Let us examine the simplest example. In 13 and 14 are drawn a band and the corresponding DOS associated with it. This could represent the 1s band of a hypothetical one-dimensional chain of hydrogen atoms. Also indicated is the nodal structure of the crystal orbital at k = 0 and at the zone boundary,  $k = \pi/a$ . A fundamental property of an energy band is that at the edges of the Brillouin zone the band must be flat.<sup>27</sup> The flatness of the band at these points translates into peaks in the DOS curve. The states at the bottom of the band are bonding, those in middle

 $<sup>\</sup>left(23\right)$  This statement holds when the chemisorbed species adsorbs in an ordered fashion.

<sup>(24)</sup> By construction!

<sup>(25)</sup> More rigorously, there are many levels, hence k points, as there are microscopic unit cells in the macroscopic crystal.

<sup>(26)</sup> Detailed expositions of the ideas developed here may be found in books listed in ref 14.

 $<sup>\</sup>left(22\right)$  This argument assumes that overlap in all cases is comparable in magnitude.

<sup>(27)</sup> This holds for nondegenerate bands at the zone edges. See: Lax, M. "Symmetry Principles in Solid State and Molecular Physics"; Wiley-Interscience: New York, 1974.



nonbonding, roughly, and those near the top antibonding between nearest neighbors in the chain. There is a natural "clumping" of levels near the bottom and top of a band, and this leads naturally to a focusing on these band extremes. Looking at one DOS plot, one may further ask of each state, sweeping up across the energy scale, how much it contributes to the bonding between two specified atoms. The result may be plotted and has been called the crystal orbital overlap population, in short COOP.<sup>28</sup> The integration of this curve up to a given level provides the overlap population between the two prespecified atoms for the corresponding band filling.

## $C_2H_2$ on Pt(111)

As mentioned in the introductory lines of this paper, an enormous amount of experimental work has been devoted to this system.<sup>29</sup> Numerous calculations of the cluster type have also been performed. We prefer to model the surface by a two-dimensional slab of finite thickness so as to simulate better the semiinfinite nature of the system.<sup>30</sup> The choice of the thickness of the slab is the result of a compromise between computational economy and reasonable accuracy. Exploratory calculations lead to the conclusion that a three-layer film is an appropriate choice: changes in the Fermi level, charge distributions, and overlap populations are small on going from a three- to a four-layer slab.

The (111) face of Pt is a closed-packed structure of hexagonal symmetry. Along the perpendicular to the surface, one has successive layers with a stacking sequence A B C. In 15 is shown in a top view the atomic arrange-



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ment. The bold solid line represents layer A, the dashed line is B, one "floor" below, and the thin solid line is C, the bottom layer.

The following assumptions are made throughout in terms of the geometry and the coverage of the surface: the acetylenic C-C bond is kept at a constant value of 1.34 Å;



Figure 2. Left: contribution of the p states to the total DOS of the bare Pt(111) slab. Right: contribution of the s states to the total DOS of the bare Pt(111) slab.

the acetylene hydrogens are bent back so that C–C–H is 140.0° and the closest Pt–C distance is 2.03 Å. Experimentally, the LEED pattern for the metastable  $C_2H_2$  layer is 2×2. This simply means that the metallic film is covered with 1/4 of a monolayer of acetylene. The unit cell of the chemisorbed surface is thus quadrupled with respect to that of the bare metallic slab. Our computations will use the same coverage. This complicates our calculations somewhat but prevents the introduction of spurious effect due to short acetylene–acetylene contacts.

Four geometries corresponding to 5a-d were investigated. Each is redrawn in 16-19, taking into account the



coverage used (1/4). Although we will return to this point, note that in 17 the black triangles are not aligned with the solid line representing the C-C bond. For this geometry alone the H-C-C-H plane was chosen not to make an angle of 90.0° with the surface. The views in 17-19 also display the hexagonal symmetry of the lattice and indicate the coordinate system used. The z axis sticks out of the plane of the paper, i.e., is perpendicular to the surface. For future reference, each structure shows the numbering of the Pt atoms on the surface in the unit cell (shaded).

The Bare Surface. Let us discuss here the electronic structure of our chunk of Pt metal without the acetylene layer. Most of the information is cast in Figure 2 which displays the DOS curve of the slab. On the left is the

<sup>(28)</sup> Hughbanks, T.; Hoffmann, R. J. Am. Chem. Soc. 1983, 105, 1150. Wijeyesekera, S. D.; Hoffmann, R. Organometallics 1984, 3, 949.

<sup>(29)</sup> For recent reviews, see: Bertolini, J. C.; Massardier, J. In "The Chemical Physics of Solid Surfaces and Heterogeneous Catalysis"; King, D. A., Ed.; Elsevier Scientific Co.: Amsterdam, 1982; Vol. 3. See also ref 4d.

<sup>(30)</sup> For a comparative discussion of cluster and slab type of computations, see: Messmer, R. P. J. Vac. Sci. Technol., A 1984, 2, 899. For a survey of cluster-type calculations, see: Simonetta, M.; Gavezzotti, A. Adv. Quant. Chem. 1980, 12, 103.



Figure 3. (a) Contribution of the surface d states in the slab before interaction. (b) Contribution of the surface d states in the overall system after interaction. (c) Contribution of the acetylene states in the overall system after interaction. (d) Density of states of the acetylene layer only. The area under each contribution curve is darkened.

Table II. Po	vulation of	Surface	and Inner	Pt	Orbitals
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	s	р	d	total	
surface-layer Pt inner-layer Pt	0.686	0.064	9.375 9.058	10.125 9.750	

contribution of p states, on the right that of the s states. What is not s or p is metal d. In this paper we will use alternatively "contribution" or "projection" to single out the participation of a subset of atoms, atomic orbitals, or fragment molecular orbitals in the overall DOS plot. The dashed lines in Figure 2 refer to the total DOS curve. The darkened areas indicate the contribution of the projected states. The dotted lines are integration curves, running from 0 to 100%. These are to be interpreted in the same way as NMR integrations—they additively count the number of states across the energy scale.

From Figure 2 it is clear that a substantial number of s and p states penetrate the d band. At the Fermi level (indicated by  $\epsilon_F$  in Figure 2), the electron distribution on an inner-layer atom and a surface one is indicated in Table II. Note that on average, any Pt atom has its s band approximately 1/3 filled, reminiscent of the conventional  $d^9s^1$  configuration. Also, the surface is negatively charged relative to the bulk. This is not a new result, but has been discussed at length on several occasions.<sup>31</sup> Its explanation in short is that any inner atom feels the influence of more neighbors than a surface one. Thus the states of inner or bulk atoms are more spread out; in particular a few of them go above the Fermi level and are therefore empty, relative to a 10-electron uncharged reference.

We are now in the position to bring in a layer of acetylene molecules.

The 2-fold Geometry, 16. In order to understand better the electronic changes associated with the covering of the surface by  $C_2H_2$  (the coverage is that shown in 16), we show in Figure 3 the DOS curves of the d orbitals of the surface atoms before and after the interaction ((a) and (b), respectively) as well as the distribution of the acetylene states prior to the contact with surface and after ((d) and (c), respectively). The peaks for curve d here are reduced to single lines. The reasons for this lie is the fact that there is essentially no overlap between different acetylenes with the coverage used. All the crystal orbitals are at the same energy, the energy of the relevant MO in the isolated molecules. The pattern in (d) follows directly from what was displayed in 6.

Let us concentrate first on the total DOS curves. These are the dashed lines. It is important to realize that a number of states lying just above the Fermi level (arrow) in (a) have disappeared in (b). Conversely, the dip existing at -12.0 eV in the DOS of the slab only has vanished and many more states are now present in this energy region. Interestingly, the loss of the feature at -10.0 eV upon chemisorption of  $C_2H_2$  is experimentally observed by Plummer and co-workers using angle-resolved photoelectron spectroscopy.<sup>5p</sup> This is certainly encouraging as far as the overall accuracy of our calculation is concerned.

Looking now at the projection curves, Figure 3b clearly establishes that this transfer of states from -10.0 to -12.0eV primarily involves surface d states. Also it is apparent that these states are more spread out after chemisorption than before as the result of the interaction with  $C_2H_2$ . Turning to the acetylene levels, Figure 3c displays in the dark area under the curve the states contributed by  $C_2H_2$ to the overall DOS. This is to be compared with Figure 3d. Gone is the clear-cut separation of  $\pi$ ,  $\pi_{\sigma}$ ,  $\pi_{\sigma}^*$ , and  $\pi^*$ . The surface "dilutes" all these states. In particular, note the total disappearance of what used to be  $\pi_{\sigma}^*$  before adsorption.

One would like to know what the fate is of each of these acetylene states in the process of adsorption. Figure 4 is illuminating in this regard. From left to right is plotted the contribution to the total DOS separately of  $\pi$ ,  $\pi_{\sigma}$ ,  $\pi_{\sigma}^{*}$ , and  $\pi^*$ . The curves have been magnified by a constant ratio for better viewing. Since the emphasis here is on how the states have been shifted by adsorption, the total DOS curves are omitted. However, the integration curves are left in the pictures. The Fermi level is indicated by an arrow. Also, we indicate by a stick mark the position of the corresponding states in the absence of interaction between the acetylene layer and the slab. The following observations can be made. The bonding  $\pi$  orbital does not interact much; it is slightly pushed down in energy by a few tenths of an electronvolt. From the integration curve, one sees that only 20% of the states are somewhat dispersed but most of them are still filled, since they wind

<sup>(31)</sup> Saillard, J.-Y.; Hoffmann, R. J. Am. Chem. Soc. 1984, 106, 2006 and references therein.



**Figure 4.** From left to right: contributions of  $\pi$ ,  $\pi_{\sigma}$ ,  $\pi_{\sigma}^*$ , and  $\pi^*$  to the DOS of  $C_2H_2$  in the 2-fold geometry. The curves are magnified by a factor of 10.



**Figure 5.** From left to right: contributions of  $\pi_{\sigma}$ ,  $z^2$  (Pt<sub>1</sub>, Pt<sub>2</sub>), and  $\pi_{\sigma}^*$  to the DOS of the C<sub>2</sub>H<sub>2</sub>/Pt(111) system in the 2-fold geometry. The curves are magnified by a factor of 10.

up lying below the Fermi level. The other bonding MO is more involved and experiences a lot of interaction: 70% of the states are shifted down in energy by more than 3 eV. Also, at the Fermi level roughly 20% of them are empty. In other words some forward donation from  $C_2H_2$  to the surface has occurred.

It is, however, in the behavior of  $\pi_{\sigma}^{*}$  that we find the most drastic electronic effects due to adsorption. Initially all empty, more than 50% of the corresponding states are now filled. The contact of  $C_2H_2$  with the surface has spread the  $\pi_{\sigma}^{*}$  band broadly. Starting at -9.8 eV as a single peak, this band has now a width of  $\sim$ 7 eV ranging from -13.5 to -6.5 eV! This interaction is the source of a tremendous amount of back-donation from the metallic film to the acetylene; an occupation of 1.059 electrons is computed for the initially empty  $\pi_{\sigma}^{*}$  orbital. Finally,  $\pi^{*}$  is pushed up as a result of the interaction of  $C_2H_2$  with the surface by  $\sim$ 0.5 eV. The extent of  $\pi^{*}$  involvement in the overall picture appears to be small; however, as indicated by the integration curve, approximately 8% of the state fall below the Fermi level and thus  $\pi^{*}$  is occupied with 0.160 electron.

Now that we understand better what has happened to the acetylene levels, let us try to unearth which of the surface d states are responsible for the observed changes.

If one recalls that the 2-fold geometry resembles that of a parallel binuclear complex, one has the intuitive idea that the two sets of Pt atoms in the unit cell,  $\{1,2\}$  and  $\{3,4\}$ (see the numbering of the surface atoms 16), play a totally different role in binding the acetylene. In particular,  $Pt_1$ and  $Pt_2$  should be the principal actors in the process. This is nicely confirmed by looking separately at the dispersion of the d bands of  $\{Pt_1, Pt_2\}$  and  $\{Pt_3, Pt_4\}$ . Schematically, the picture is that of 20. Here we draw side by side diagrammatic representations of the d-band widths in each case:  $\{Pt_1, Pt_2\}$  at left;  $\{Pt_3, Pt_4\}$  at right. The curves stand for an approximate envelope of the corresponding densities of states. The curves were cut off in such a way that the number of states range from 3% to 95%. In other words, outside the curves one finds the first 3% and the last 5% of the d states for the two sets of metal atoms. Referring to Figure 3a, it is clear that the d states of  $\{Pt_3, Pt_4\}$  do not interact much with  $C_2H_2$ . We shall see, however, that they feel the acetylene a little.

Let us now see if we can single out specifically those states out of the  $\{Pt_1, Pt_2\}$  surface subset that interact strongly with the states of  $C_2H_2$ . Figure 5 shows the curve describing the distribution of those d states of  $Pt_1$  and  $Pt_2$ 



that are  $z^2$  in character. We also show the states corresponding to  $\pi_{\sigma}$  and  $\pi_{\sigma}^*$  again for a comparative purpose. We shall adopt the convention of drawing the atomic orbitals (e.g.,  $z^2$ ) as labels for the plot they refer to with no shading. The reason is that each point of the DOS curve corresponds to many states, each of different nodal character.

One can see that the peak of the bottom of the  $z^2$  band perfectly matches the peak of  $\pi_{\sigma}$ , at -13.8 eV. Similarly the  $z^2$  band has a nice feature at -9.0 eV which finds some counterpart in the  $\pi_{\sigma}^*$  curve. The change of slope in the integration line of  $\pi_{\sigma}^*$  reflects an accumulation of states around -9.0 eV. Finally, between -12.0 and -13.0 eV, one finds peaks common to  $\pi_{\sigma}^*$  and  $z^2$ . What we have in hand here is an interaction between the whole  $z^2$  band of {Pt<sub>1</sub>, Pt<sub>2</sub>} and both  $\pi_{\sigma}$  and  $\pi_{\sigma}^*$ . We may depict this in the more usual frame of an interaction diagram as in 21. The



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dashed line refers to the Fermi level. Note that in the main block, primarily d centered, there should be a few states carrying  $\pi_{\sigma}^*$  character below states involving  $\pi_{\sigma}$ . Also, from this simple picture it is clear that the  $z^2$  band is depleted of some of its electron density upon coordination of C<sub>2</sub>H<sub>2</sub>. Both Pt<sub>1</sub> and Pt<sub>2</sub> actually see their electron density charge in  $z^2$  reduced by 0.282 electron each.

Representative interactions may be drawn out, as shown in 21. The two combinations depicted are certainly analogous to those encountered in the parallel binuclear system, 8c, 9c. There is an essential difference, however. The interaction  $a_1 + \pi_{\sigma}$  in 8c is a two-electron stabilizing one. In the surface case the  $z^2$  band is initially almost completely filled (1.810 electrons). Mixing in of the s and p bands generates only a few empty states. In that respect the surface behaves rather as the d<sup>10</sup>-ML<sub>2</sub> case, where the d orbital of the right symmetry to receive electrons from  $\pi_{\sigma}$  is filled. In the discrete complex, the high-lying sp hybrid provides an alternative acceptor. For the surface, a few s and p states penetrate the d band, mix with  $z^2$ , and are tied up in hybrids pointing toward the adsorbate. Those may be thought of as analogous to the so-called dangling bonds present on semiconductor surfaces.

What is the fate of and where are the electrons that are destabilized by the antibonding component of the  $z^{2}-\pi_{\sigma}$ interaction? Mostly into the bulk. Around the Fermi level there are many levels involving interactions between surface atoms and the inner-layer ones. These states act as an empty "reservoir" and take up the overflow of electrons generated by the  $z^{2}-\pi_{\sigma}$  interaction. Neighboring metal atoms on the surface not engaged in bonding with the adsorbate act in a similar fashion. On the average, an inner-layer atom is computed to gain 0.150 electron in the process of acetylene chemisorption in this geometry. To put it in another way, electrons are transferred from filled states of the surface to empty states in the bulk via the intermediacy of  $\pi_{\sigma}$ . The interaction at work here was encountered and discussed in a previous study.<sup>31</sup>

So far we have described the  $\sigma$  type of interaction. Let us investigate the less dramatic action taking place with  $\pi$  and  $\pi^*$ . Figure 6 uses a similar arrangement to that of Figure 5 and displays the distribution of the  $d_{yz}$  states of  $Pt_1$  and  $Pt_2$  after adsorption. Again for convenience the  $\pi$  and  $\pi^*$  curves are included. As already noticed in Figure 3, the states in  $\pi$  and  $\pi^*$  are grouped more together. The corresponding DOS curves are more peaked. This allows a nice resolution of the  $d_{yz}$  curve which exhibits a central portion (between -13.0 and -10.0 eV) plus two small features at -13.5 and -8.0 eV, nicely matching the peaks of  $\pi$  and  $\pi^*$ , respectively. We had already noted that  $\pi$  and  $\pi^*$  were not shifted by much in terms of energy. This follows from a relatively small overlap between the  $d_{yz}$ crystal orbitals and those generated by  $\pi$  and  $\pi^*$ . Following 21, we can cast the interaction between yz and  $\pi$  and  $\pi$ in the diagram 22. Representative combinations are drawn out.



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The reader will have noticed that in dealing with  $z^2$  and yz we have located the bonding combinations between the bonding metal d states and the bonding MO of  $C_2H_2$  and the antibonding combinations between antibonding metal d states and the antibonding MO of the  $C_2H_2$ . States of the type **23a-d** are more difficult to single out. The reason for this is that in each case the center of gravity of the d band lies between the two MO's of the organic fragment. In other words, the lowest and highest states are concent

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trated on the acetylene. The levels corresponding to 23a-d are hidden among the bulklike states. They form tails which are "drowned" or diluted in the massive center of the d band. This is illustrated schematically in 24. The





dashed line stands for metal d states. The nature of the interaction in each region of the energy scale is indicated with the convention that + means bonding, - refers to antibonding. This convention may be understood, looking back at the interactions explicitly drawn in 21-23. The pattern of 24 is general. The d bands of a surface fall almost inevitably between the donor and the acceptor states of the adsorbate.

Still greater insight into the bonding of an acetylene to a surface may be obtained with the help of COOP curves. Figure 7 at left shows on the same graph the overlap populations between the two carbon atoms (solid line) and in the symmetry-related Pt<sub>1.2</sub>-C bonds (dotted line). On the right is the overlap population between  $Pt_1$  and  $Pt_2$ . Let us sweep through the energy scale and enumerate the interactions that we encounter along the way. Everything on the right (left) on the vertical axis is bonding (antibonding) between the two specified atoms. At -13.9 eV one finds  $\pi_{\sigma} + (z^2(1) + z^2(2))$ . These states are bonding within the acetylene, bonding between  $Pt_1$  and  $Pt_2$ , and bonding between  $C_2H_2$  and the substrate. They represent the solid-state equivalent to a discrete molecular  $a_1 + \pi_{\sigma}$  interaction in the binuclear system; see 8c. At -13.5 eV are states of the type  $\pi + (yz(1) + yz(2))$ ; please look back at Figure 6. It is amusing to notice that the maxima in the dotted and solid lines of Figure 7a do not coincide. The C-C curve peaks at -13.5 eV whereas the Pt-C one peaks at -13.9 eV. Each curve has its maximum where the other features a shoulder. This comes from the fact that maximum C-C bonding is provided by  $\pi$  rather than  $\pi_{\sigma}$  and maximum Pt-C bonding is the result of the  $\sigma$  interaction rather than the  $\pi$  one. Between -13.0 and -12.0 eV are states bonding between the metal and  $C_2H_2$  and involving  $\pi_{\sigma}^*$ :  $\pi_{\sigma}^* + (z^2(1) - z^2(2))$ . One may wonder then why the  $Pt_1-Pt_2$  curve, after a sharp peak in the negative region at -13.0 eV, returns to bonding instead of describing the antibonding nature of the interaction between the two  $z^2$ orbitals. Recall that our curve sums up the overlap population over all atomic orbitals. In other words, at -12.8eV, even though the  $z^2$  interactions are antibonding, in this

region one finds states involved in  $\sigma$  bonding at the surface and the vast majority of the d states. What is happening here is shown in 25a. The  $z^2$  interaction is negative and



antibonding, in this region, but just above -13.0 eV all the rest of the atomic orbital interactions between Pt<sub>1</sub> and Pt<sub>2</sub> are bonding. The net result is **25b**, that is, the curve of Figure 7b. This situation is reminiscent of the effect of dilution of C<sub>2</sub>H<sub>2</sub>/surface bonding states by the bulk discussed earlier in the text. The situation of  $z^2$  in **25** is equally applicable, albeit to a smaller extent for overlap reasons, to yz.

We find that many states antibonding between the metal atoms, which were empty before the interaction with  $C_2H_2$ , are now pushed down well below the Fermi level. The net consequence is a drop in the overlap population between  $Pt_1$  and  $Pt_2$  after the adsorption of  $C_2H_2$ : 0.136 to 0.077. In more physical terms, the bonding within the metallic surface is *weakened*.

We have concentrated so far on  $d_{z^2}$  and  $d_{yz}$  on the metal. One should mention here the contribution made by  $d_{xz}$  in the  $\sigma$  bonding between the surface and  $C_2H_2$ , via interactions of the type shown in 26. The analysis of the



influence of the xz states closely follows that of  $z^2$ . The difference between  $z^2$  and xz would be apparent in a band-structure picture. Molecular orbital  $\pi_{\sigma}$  interacts with the part of the  $z^2$  band that is near the zone *center* whereas the interaction with xz will be with those states lying close to the zone *edge*. This is a simple consequence of the topology of the xz orbital which is of " $\pi$ " type rather than " $\sigma$ " type, as is  $z^2$ .

We have gained up to this point an understanding of the bonding between  $C_2H_2$  and the surface via a description of separated interactions ensuing from combinations of states of the surface and states of  $C_2H_2$ . What is the overall picture? Figure 8 tries to answer this question within the familiar framework of an interaction diagram. Although rather formidable looking, the essence of Figure 8 is easily extracted. The inclusion of the depth dimension is justified by our desire to partition the slab before interaction into "active" states  $(z^2, xz, yz \text{ on } Pt_1, Pt_2)$  and the passive ones, those which will not play a direct role in the bonding. The dashed line in the left-hand volume further separates the  $z^2$ , xz from the yz states in  $Pt_1$  and  $Pt_2$ . The small volumes representing the C<sub>2</sub>H<sub>2</sub> states could be viewed as single lines running into the plane of the paper; recall the shape of the DOS of the  $C_2H_2$  layer only, Figure 2d.



**Figure 6.** From left to right: contributions of  $\pi$ , yz (Pt<sub>1</sub>, Pt<sub>2</sub>), and  $\pi_{\sigma}^{*}$  to the DOS of the C<sub>2</sub>H<sub>2</sub>/Pt(111) system in the 2-fold geometry. The curves are magnified by a factor of 10.



Figure 7. (a) COOP curve for the C–C (solid line) and Pt–C (dotted line) bonds. (b) COOP curve for the  $Pt_1$ – $Pt_2$  bond. Both plots refer to the  $C_2H_2/Pt(111)$  system in the 2-fold geometry.

We now draw lines according to the interactions described previously. Significance is attached to the origin of the lines in the metal block. For example, the line issuing from  $\pi_{\sigma}$  converges with one coming from the bottom of the  $d_{z^2}$  band on  $Pt_1$ ,  $Pt_2$ . The piece of volume the lines point to in this case represents states of the type  $\pi_{\sigma}$ +  $(z^2(1) + z^2(2))$ . The entire picture may be generated this way. The squiggly lines refer to the states that are lost in the bulk after the interaction is turned on. The horizontal dashed line marks the Fermi level. From the earlier discussion, it is clear that the d band of the slab is not 100% filled. For simplicity, we omit the s and p states, the sources of this hole in the d block. Also for the sake of clarity, not all lines are explicitly drawn. For example, a few high-lying states in the  $d_{yz}$  band are pushed below  $\epsilon_{\rm F}$  by  $\pi_{\sigma}^{*}$  (see Figure 4), although the relevant line from  $\pi_{\sigma}^{*}$  is not indicated.

Upon coordination to the surface, the acetylene triple bond is significantly weakened. For the fixed bond length of 1.34 Å, the overlap population falls from 1.703 down to 1.319. One therefore realizes that upon chemisorption the two entities see their intrinsic bonding decreased. The bonds within both the surface and the adsorbate are weaker. The idea emerges that strong adsorbate-surface bonding requires both entities to pay the price in terms of their own stability. Along this line, one may conceive cases where, depending upon the metal and/or the adsorption site, the metal-carbon bonds formed are so strong that either the surface must break up or the triple bond will be cleaved with essentially no barrier. Later we shall



Figure 8. A generalized interaction diagram for  $C_2H_2$  on Pt(111) in the 2-fold geometry.



**Figure 9.** From left to right: contributions of  $z^2$  (Pt<sub>1</sub>, Pt<sub>2</sub>),  $z^2$  (Pt<sub>3</sub>), and yz (Pt<sub>3</sub>) to the DOS of the  $C_2H_2/Pt(111)$  system at the 3-fold geometry. The sticks refer to the location of 85% of the  $\pi$  and  $\pi_{\sigma}$  states. The curves are magnified by a ratio of 30.

find these last considerations particularly relevant.

In the description given so far,  $Pt_3$  and  $Pt_4$  were treated as spectators. The computations justify this view. However, one may ask via what kind of interaction they could enter the picture. On the basis of local symmetry arguments, combinations such as 27, 28 could have been a priori



of some significance. In geometry 16, because the overlap between any of the  $C_2H_2$  MO's and any d orbital of  $Pt_3$  (or  $Pt_4$ ) is small, the overall influence of these 2 atoms remains small. Interestingly, however, the overlap population between  $Pt_3$  (or  $Pt_4$ ) and the acetylene carbon atoms is nonzero and *positive*: 0.0053. This obviously suggests that a small geometrical distortion from 16 may increase the bonding between, say,  $Pt_3$  and  $C_2H_2$ . We investigate this possibility in the next section.

The 3-fold Geometry, 17. Let us first say a few words about the atomic arrangement in 17. From 16 to 17, one essentially moves the C-C bond over the face of one triangle of Pt atoms and also inclines the HCCH plane, so as to make an angle, with respect to the surface, different from 90.0°. In 29 we illustrate this distortion. Note that



the  $Pt_{1,2}$ -C distances are still 2.03 Å. The carbon atoms, however, are now at 2.20 Å from the Pt the  $C_2H_2$  leans over  $Pt_3$ . The coordinate system is still such that x lies along the  $Pt_1$ - $Pt_2$  bond and y is perpendicular to  $Pt_1$ - $Pt_2$ , in the ( $Pt_1$ ,  $Pt_2$ ,  $Pt_3$ ) plane. In 17,  $Pt_3$  is involved in some in-

teraction with  $C_2H_2$ . The bending of  $C_2H_2$  has the effect of singling out  $Pt_4$  in the unit cell. This metal atom finds itself remote from any kind of action. In **30**, we show how



this translates in terms of the width of the states belonging to  $Pt_1$ ,  $Pt_2$ ,  $Pt_3$ , and  $Pt_4$ . Obviously  $Pt_1$  and  $Pt_2$  are equivalent by symmetry and a single curve describes the envelope of the corresponding DOS.

As may be anticipated, the details of what is happening to  $Pt_1$  and  $Pt_2$  in 17 are not much different from those described in the previous section for the 2-fold geometry 16. For this reason, we would like to focus rather on the new interactions, those involving  $Pt_3$ .

Figure 9 shows how the yz and  $z^2$  states on Pt<sub>3</sub> enter bonding with  $C_2H_2$ . We have displayed here from left to right the projection of  $z^2$  on Pt<sub>1</sub> and Pt<sub>2</sub>, the  $z^2$  states of  $Pt_3$ , and the yz states of  $Pt_3$ . Indicated with a bold stick at -13.9 eV is the location of 85% of the  $\pi$  and  $\pi_{\sigma}$  states. These merge into a single line due to mixing induced by the reduced symmetry of geometry 17. This mixing of  $\pi$ and  $\pi_{\sigma}$  is significant in magnitude, primarily because they start close in energy, see Figure 2d. The effect is less marked for  $\pi_{\sigma}^*$  and  $\pi^*$ , for the initial energy gap between the two is much larger. The important feature of the figure is the accumulation of levels occurring for all three types of states at -13.9 eV. The interaction at work here may be represented in a MO picture by 31 and 32. In these types of combinations, the crucial point is the stabilization of states centered on Pt<sub>3</sub>, which was not present in the 2-fold geometry 16. Note that in 31 we also indicate the contribution of yz states from  $Pt_1$  and  $Pt_2$ . We would like to emphasize that 31 descends from what was a secondary



interaction in 16, depicted by 27. Let us see how the empty levels of  $C_2H_2$  are altered by the proximity of  $Pt_3$ . This is shown for the  $\pi^*$  component in Figure 10. At right is the projection of  $\pi^*$  once the acetylene is on the 3-fold bridge 17. On the left-hand side is the curve describing the distribution of the xz states on  $Pt_3$ . This figure is very appealing because it illustrates so clearly how perturbation theory and frontier orbital concepts translate when one deals with a solid. Before interaction the d states are found in the -10.0- to -12.0-eV energy range whereas the  $\pi^*$  states sit at the -8.3-eV energy mark. Upon "contact" between the surface and  $C_2H_2$ , the d band spreads out, but concentrates more heavily in the resulting bonding states. They emerge mostly in the antibonding states and somewhat pushed up in energy. A bar on the right plot stands for the location of the  $\pi^*$  states before interaction. Note the occupation of  $\pi^*$ ; at the Fermi level it gets filled with 0.330 electron, slightly more than twice its occupation in the 2-fold geometry 16. Using again a localized MO picture the bonding states between  $\pi^*$  and xz on  $Pt_3$  may be depicted as in 33a. It is apparent that in this kind of com-



bination there is a significant contribution of the  $z^2$  and yz states on Pt<sub>1</sub> and Pt<sub>2</sub>, **33b,c**.

All this follows nicely what was anticipated in 28. The fact that interaction such as 31-33 provides some bonding between the acetylenic carbon and Pt<sub>3</sub> is further confirmed by the corresponding COOP curve shown in 34. Up to



the Fermi level all interactions are basically bonding. The three peaks at -13.9, -13.0, and -12.0 eV match those of  $\pi$  (and  $\pi_{\sigma}$ ),  $\pi_{\sigma}^*$ , and  $\pi^*$ , respectively, in Figure 10. As described earlier in the discussion of Figure 10, there is an accumulation of Pt<sub>3</sub>-C antibonding states in the -8.0-to -6.0-eV energy range. The overlap population between Pt<sub>3</sub> and C is 0.19 at  $\epsilon_{\rm F}$ .



**Figure 10.** Contributions of xz (Pt<sub>3</sub>) (left) and  $\pi^*$  (right) to the DOS of the C<sub>2</sub>H<sub>2</sub>/Pt(111) system in the 3-fold geometry. The curves are magnified by a factor of 30.

Although ultimately we will compare numerical results for all adsorption sites, it is worth pointing out here that in states such as the one generated in 33, antibonding character is induced between  $Pt_1$  (and  $Pt_2$ ) and  $Pt_3$ . The  $Pt_1-Pt_3$  overlap population which was 0.126 in 16 is now 0.067. Again we encounter the feature that the overlap population between atoms involved in bonding with the adsorbate diminishes upon chemisorption. Conversely, the bonding between  $Pt_1$  (and  $Pt_2$ ) and the acetylene being slightly less in 17 and 16, the  $Pt_1-Pt_2$  overlap population rises from 0.077 in 16 to 0.088 in 17.

We should conclude this section by taking note of the fact that 17 is favored over 16 by less than a tenth of an electronvolt (0.06 eV) per chemisorbed  $C_2H_2$ . This is a tiny difference, especially in view of the approximate nature of our calculations. We are inclined to think that a soft potential exists between 16 and 17; as noted above, 17 is the result of a small geometrical perturbation. Electronically, the preference obtained for 17 is the result of the gain of bonding between  $Pt_3$  and  $C_2H_2$ , which is larger than the loss of interaction between  $Pt_1$  (and  $Pt_2$ ) and the acetylene. The choice of geometry makes the balance between these two counteracting effects a delicate one. Experimentally, spectroscopic studies of metastable  $C_2H_2$ have indicated a tilted species analogous to 17, and methylacetylene was found by LEED to be in the 3-fold bridging geometry 17.4d,2a

The On-Top Geometry, 18. Because only one metal atom is involved with the adsorbed  $C_2H_2$  in this geometry, the situation is much simpler in this case. It would be cumbersome to go through the details of all the interactions between acetylene states and those of  $Pt_1$ . We therefore rather want to focus on the similarity existing between the present situation and that of a  $d^{10}$ -ML<sub>2</sub> acetylene complex, discussed earlier in the text. Figure 11 shows on the left the C-C (solid line) and the  $Pt_1$ -C (dotted line) COOP curves for the 1-fold adsorption site. The Fermi level is still indicated by an arrow. On the right-hand side is depicted the corresponding COOP curve that would be obtained in a  $d^{10}$ -ML<sub>2</sub> system. Because in the latter case the levels are discrete, the peaks in a DOS or COOP diagram are  $\delta$  functions. With the same conventions as in the solid, the interactions that are bonding give rise to a line at the right of the vertical line, and for the antibonding ones, a line is drawn on the left. For clarity the levels of the molecular system have been sketched. The calculation was performed<sup>32</sup> on (CO)<sub>2</sub>Pt-



**Figure 11.** Left: COOP for the C-C (solid line) and  $Pt_1$ -C (dotted line) bonds of the  $C_2H_2/Pt(111)$  system in the 1-fold geometry. Right: "COOP" for the C-C (solid line) and Pt-C (dotted line) bonds of the  $(CO)_2Pt(C_2H_2)$  system.



Figure 12. From left to right: contributions of xz (Pt<sub>1</sub>, Pt<sub>2</sub>),  $\pi^*$ , and yz (Pt<sub>3</sub>, Pt<sub>4</sub>) to the DOS of the C<sub>2</sub>H<sub>2</sub>/Pt(111) system in the 4-fold geometry. The curves are magnified by a factor of 15.

 $(C_2H_2)$ . The molecular diagram is schematic—only the important interactions are shown. The length of the line on the right-hand side plot corresponds to the computed overlap population contributed by each MO to the bonding between the atoms under consideration.

The assignment of the peaks in the left-hand side plot comes from a separate projection of the four components of the acetylene and the atomic orbitals of  $Pt_1$ . A comparison between the left- and right-hand side plots of Figure 11 is instructive: the patterns are virtually identical. This is particularly true up to  $\Psi_3$ . A minor difference occurs because  $\Psi_4$  is filled in the complex whereas the corresponding states of the solid are spread around  $\epsilon_{\rm F}$  and therefore partially empty. The extended nature of the solid has its more crucial consequences around the Fermi level. Whereas all Pt-C  $\sigma$  antibonding states are unoccupied in the discrete system— $\Psi_5$  is empty and the an-tibonding counterpart of  $\Psi_2$  is above -8.0 eV—some ( $\pi_\sigma$  $(-z^2)$  states fall below  $\epsilon_F$  and then are filled. To put it in another way, this mode of coordination of an acetylene to the Pt(111) surface is characterized by less  $\sigma$  bonding than the corresponding  $d^{10}$ -ML<sub>2</sub> system.

Turning to the  $\pi$  interactions, it is clear from the position of  $\pi^*$  and  $\pi_{\sigma}^*$  on the COOP curve, that only a small amount

of back-donation from the surface to  $C_2H_2$  has occurred, 0.078 electron in  $\pi^*$ . All these factors contribute to make the on-top geometry 18 substantially less stable, 1.2 eV higher in energy than both 16 and 17.

The 4-fold Geometry, 19. The adsorption site under consideration in this section is 19, and both the atom numbering and the coordinate system are shown in 35 in



a top view. The first peculiar features of this site are the geometrical requirements associated with it. For a Pt<sub>1</sub> (or equivalently Pt<sub>2</sub>)-C distance of 2.03 Å, the carbon atoms are rather close to Pt<sub>3</sub> and Pt<sub>4</sub>: 1.87 Å. In other words, all four metal atoms in the surface unit cell are expected to feel the adsorbate and all will be strongly involved in bonding with C<sub>2</sub>H<sub>2</sub>. As a first consequence, the acetylene states are considerably spread out upon interaction with the surface: a width of over 10 eV is computed for the states associated with the four frontier orbitals of C<sub>2</sub>H<sub>2</sub>. Because of the relatively high local symmetry (two mirror planes are present<sup>33</sup>), the analysis of the bonding turns out

<sup>(32)</sup> A common energy scale is used for practical purposes. The parameters of Pt are different for the surface and molecular calculations; see Appendix.



Figure 13. Left: contribution of  $\pi$  to the DOS. Right: contribution of xz (Pt<sub>3</sub>, Pt<sub>4</sub>) to the DOS. Both curves refer to the C<sub>2</sub>H<sub>2</sub>/Pt(111) system in the 4-fold geometry and are magnified by a factor of 15.

to be relatively simple. In the following, we enumerate the principal interactions and dwell on the ones that are important to our overall conclusion. Starting with the initially empty  $\pi^*$  states, the middle of Figure 12 shows how they spread upon interaction with the metallic film. The stick stands for their initial position. Note that ~30% of them now fall below the Fermi level. The left and right of the figure display the projections of the Pt<sub>1</sub> (and Pt<sub>2</sub>) xz states and the Pt<sub>3</sub> (and Pt<sub>4</sub>) yz states, respectively. Clearly, the levels of  $\pi^*$  at ~-12.5 eV in the middle of the figure find some counterpart in both types of the metall d states. The combinations grouped in this energy region are of the kind displayed in 36. Spectacular backbonding



takes place in these. The behavior of the  $\pi_{\sigma}^{*}$  states can be analyzed along the same line. One finds 45% of them below  $\epsilon_{\rm F}$ , which translates into a net occupation of 0.893 electron. The levels are mainly concentrated (35% overall) in a sharp peak at -13.5 eV, i.e., approximately 2.8 eV lower than their initial location. On the metal side, it is in  $z^2$ of Pt<sub>1</sub> and Pt<sub>2</sub> that we find most of the states they combine with. As expected from topological considerations, the interactions here are those of the type **37**, in a side view.



Obviously, a few yz states of  $Pt_3$  and  $Pt_4$  are mixed in combinations such as **37**. For overlap reasons, their contribution is, however, of a lesser extent.

Conversely, the  $\pi_o$  states are stabilized by  $z^2$  on Pt<sub>3</sub> and Pt<sub>4</sub>. Recall that the Pt<sub>3,4</sub>-C distances are short. Inter-

actions such as 38 are now predominant, with a smaller



participation of  $z^2$  from Pt<sub>1</sub> and Pt<sub>2</sub>. A total of 60% of  $\pi_{\sigma}$  states are found in a sharp peak at -13.3 eV, pushed down by ~0.5 eV with respect to their position before adsorption.

The left-hand side of Figure 13 tells us what happens to the  $\pi$  states of C<sub>2</sub>H<sub>2</sub>. Almost 70% of them are stacked in the peak at -14.2 eV. At the Fermi level, the  $\pi$  component of the acetylene has, however, lost 0.470 electron to the surface. The mixing is primarily with xz states of Pt<sub>3</sub> and Pt<sub>4</sub>, whose distributions are indicated on the right-hand side of the figure. The interactions involved here are crucial and **39** gives a hint for why this is so. The



d states implicated here are quite antibonding with respect to the  $Pt_3-Pt_4$  bond and they get filled via forward donation from  $\pi$  of  $C_2H_2$ . The full consequence of this situation is better measured by the overlap population between  $Pt_3$  and  $Pt_4$ : -0.074, a *negative* number. In other words, if  $C_2H_2$  was to chemisorb in this geometry, the  $Pt_3-Pt_4$  bond would be so much weakened that surface reconstruction may occur via breakage of the  $Pt_3-Pt_4$  bond.

From these considerations, it emerges that the 4-fold geometry is characterized by a large electron density drift in both directions; metal  $\rightarrow C_2H_2$  and  $C_2H_2 \rightarrow$  metal. As a result, we have here an extremely strong interaction between the surface and  $C_2H_2$ , at the expense of the stability of both the surface and  $C_2H_2$ ; the overlap population between the two carbon atoms drops abruptly from 1.703 before interaction of 1.080 upon adsorption.

In contrast to the 1-fold geometry where the metal- $C_2H_2$ bonding is weak, it looks as if in the 4-fold site "too much" of an interaction is turned on, destabilizing both the adsorbate and the substrate. For this reason, and despite a strong surface- $C_2H_2$  bonding, 19 is computed to be 0.22 eV (per  $C_2H_2$ ) higher in energy than 16 or 17. These results agree with previous calculations<sup>11b</sup> by Anderson suggesting that the 2-fold and the 3-fold bridging sites are the most favorable geometries for  $C_2H_2$  onto Pt(111). The 3-fold site (2-fold as well) achieves best the compromise required for optimum nondissociative chemisorption of  $C_2H_2$  on Pt(111): a good metal-adsorbate interaction which does not ruin either the bonding within the surface or that in the chemisorbed species itself.

Nevertheless, a 4-fold geometry is believed to be adopted by  $C_2H_2$  on Ni(111). Can this preference be reconciled with the above considerations? We think that the source of the problem for 4-fold site adsorption lies in the excessive weakening of the surface bonding via **39**. This very same interaction is likely to be less strong when the surface is made of Ni atoms. We offer two reasons for this: (a) the  $C_2H_2$  is more "centered" with respect to the four Ni atoms than in the Pt case. For a Ni<sub>2</sub>-C<sub>1</sub> distance of 2.03 Å in **40**, the C<sub>1</sub>-Ni<sub>3</sub>(Ni<sub>4</sub>) length is 1.99 Å and not<sup>34</sup> 1.87 Å as for the

<sup>(33)</sup> In fact, only yz is a true element of symmetry. The xz plane is not, because of the finite thickness of the slab. For purposes of our discussion we can use the two mirror planes of the real surface/adsorbate system.

<sup>(34)</sup> This follows simply from the Ni–Ni distance which is 2.492 Å in the metal whereas the Pt atoms are spaced by 2.775 Å.



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Acetylene Adsorption Sites

Bonding Characteristics of Several

**Fable III.** 

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corresponding distance on Pt(111). This means that in interactions of type **39**, the surface will be involved through all four atoms more equally and not preferentially through Ni<sub>3</sub> and Ni<sub>4</sub>; (b) the orbitals of Ni are more contracted than those of Pt; therefore the overlap between xz orbitals of Ni<sub>3</sub> and Ni<sub>4</sub> is smaller, hence reducing the effect of the destabilization induced by filling these antibonding (with respect to the two metal atoms) states. Thus, we believe that a small geometrical difference in the Pt(111) and the Ni(111) surface may translate into substantial electronic changes, which in turn dictate the choice of the adsorption site of C<sub>2</sub>H<sub>2</sub> on these two surfaces.<sup>35</sup> Finally, it should be noted that the reactivity of C<sub>2</sub>H<sub>2</sub> on Ni(111),<sup>5w</sup> greater than on Pt(111), is also consistent with the fact that the 4-fold geometry activates the triple bond of C<sub>2</sub>H<sub>2</sub> more than the 3-fold site.

In Table III we give a numerical summary of our findings for the chemisorption of  $C_2H_2$  onto a Pt(111) surface. It is obviously not our intention to discuss every one of these numbers, but we rather want to comment on the trends and the general picture that emerges. First, the 3-fold bridging geometry is clearly the most favorable energetically. This nicely agrees with recent spectroscopic results.<sup>36</sup> Looking at the overlap population entry, one sees that in the sequence 1-fold, 2-fold, 3-fold, 4-fold the acetylene triple bond is more and more weakened; this holds also for the metal-metal bonding within the surface layer. Summing all the Pt-C overlap populations in each geometry, the surface- $C_2H_2$  bonding varies in the reverse order. A large number is computed for more bridging geometries. The consequence of these two counteracting tendencies was discussed earlier in the text.

A glance at the occupation numbers gives a hint as to why the 4-fold geometry is so strongly bound. In this geometry, both the electron loss from  $C_2H_2$  ( $\pi$  and  $\pi_{\sigma}$  depopulated) and gain ( $\pi^*$  and  $\pi_{\sigma}^*$  populated) are the largest of all sites. Also, it is easy to check that, overall,  $C_2H_2$  gains electron density in each geometry-slightly more than half of an electron on the average. This leads us to the next entry in Table III, the charges of the surface atoms. These are initially negatively charged (the electron density is 10.125). From the numbers it is apparent that the more a surface atom is in contact with  $C_2H_2$ , the more electron density it loses. Furthermore, the partitioning of the charge among the different orbitals pointing toward the  $C_2H_2$  is instructive in regard to the type of interaction that dominates at the geometry under consideration. For example, in 16, the  $\sigma$  interaction (via  $z^2$  on Pt<sub>1</sub> and P<sub>2</sub>) is the most important one. Turning to 17,  $Pt_3$  is primarily involved in a  $\pi$  type of bonding through *yz*. In other words, the electron density loss from the surface atoms may be traced specifically to the orbitals locally more implicated in the bonding. A final remark deals with the fact that the amount of charge lost by the surface atom is larger than that gained by  $C_2H_2$ . As was mentioned before, the difference goes into the bulk. In the 4-fold geometry, the surface loses so much of its electron density (3.10 electrons over the four metal atoms) that there are not enough empty bulklike states at the Fermi level to receive it.

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binding energy <sup>d</sup> fermi level		5	-10.02			4	.68 .09			-10	1.74			-3.	56 00			-4.	46 97	
overiap populations C-C Pt <sub>1</sub> -Pt <sub>2</sub>	1.703		0.136			0	.319 .077			10	206			01	405 126			-0 -0	080 024	
PtPt, PtPt,			0.136 0.136			000	.126 .126			000	0.067			000	139 130			000	062 062	
PtC						00	.005			-0	1.193 1.193			00	295 001			00	330 266	
occupations π * π <sub>0</sub> *	0.0					01,	.166			04	.330			00	078 811			00	533 393	
н <sub>с</sub> н	20 20						.588 .956				.591			0.1	733 959				566 530	
		baı	re surface			16				1.	1			18				19		
surf atoms charges <sup>d</sup>	N	2 X2	z yz	total	×2	zx	yz	total	22	xz	yz	total	z <sup>2</sup>	xz	yz	total	22	x z	yz	total
R R		850 1.9 850 1.9 350 1.9 350 1.9	43 1.927 43 1.927 43 1.927 43 1.927 43 1.927	7 10.125 7 10.125 7 10.125 7 10.125 7 10.125	-0.440 -0.440 -0.025 -0.025	-0.173 -0.173 -0.016 -0.016	-0.069 -0.069 -0.021 -0.021	-0.60 -0.60 -0.125 -0.125	-0.260 -0.260 -0.180 -0.038	-0.118 -0.118 -0.135 -0.026	-0.192 -0.192 -0.209 -0.003	-0.535 -0.535 -0.685 0.125	-0.425 + 0.010 - 0.080 - 0.080	-0.605 -6.185 -0.013 -0.013	-0.037 -0.046 -0.017 -0.017	-1.111 -0.084 -0.035 -0.035	-0.215 -0.215 -0.158 -0.158	-0.378 -0.378 -0.014 -0.014	-0.165 -0.165 -0.177 -0.177	-1.115 -1.115 -0.435 -0.435
<ul> <li><sup>a</sup> Taken as the diffe</li> <li>19. <sup>c</sup> The carbon i</li> <li>negative sign means le</li> </ul>	trence E(g tom here ss of elect	eometry is the clo tron den	) - E(slab osest to tl sity upon	$P(C_{2} E) = E(C_{2} E)$ he particular adsorptic	H <sub>2</sub> ) in elec lar Pt ato on.	stronvolts im under	s. The ne consider:	egative si ation. d	gns mear Total va	ts C <sub>2</sub> H <sub>2</sub> i lues are g	s always l given for 1	bound. the free s	The nui urface; d	mbering s ifferences	system is s are indi	different cated for	t from th t the diff	iat used i erent geo	n the tes metries.	t for A

<sup>(35)</sup> The geometrical problem associated with C<sub>2</sub>H<sub>2</sub> in a 4-fold geometry on Pt(111) was pointed out recently by Sheppard and co-workers.<sup>58</sup>
(36) Anson, C. E.; Keiller, B. T.; Exton, I. A.; Powell, D. B.; Sheppard, N. J. Chem. Soc., Chem. Commun. 1983, 470.

#### $C_2H_n$ Fragments on Metal Surfaces

Consequently, some antibonding states are filled—they contribute to the weakening of the surface bonding—and the Fermi level in this geometry goes over the -10.0-eV mark. In our calculations, this excess of negative charge is found primarily in the bottom layer; each atom becomes even more negative than it is in the free surface.

We have gained from a detailed study of the acetylene adsorption on Pt(111) an understanding of some of the factors governing the bonding and the geometrical choice made by this system. We have also drawn conclusions about the electron reorganization associated with the chemisorption process. Next we apply these results and use the information obtained in this section to the chemisorption of a vinylidene and an ethylidyne fragment on the same surface.

#### Vinylidene on Pt(111)

We mentioned briefly in the Introduction that the existence of a vinylidene fragment on Pt(111) has never been clearly established experimentally. However, it is strongly believed that the ultimate presence of an ethylidyne  $(CCH_3)$  on the surface can only be accounted for if a  $CCH_2$ unit is initially adsorbed.<sup>4d</sup> The problem of the interconversion or rearrangement of a bound acetylene to a vinylidene fragment has been tackled by theoreticians. Simonetta and co-workers have assumed<sup>12c</sup> a concerted 1,2-hydrogen shift whereas Anderson and Kang<sup>37</sup> favor a mechanism involving scission of one acetylenic C-H bond and surface-hydrogen intermediates. We shall not dwell on this question here but rather focus on the electronic features of the  $CCH_2$  chemisorbed state. In a separate contribution we discuss in detail the rearrangement of acetylene to vinylidene on discrete mono-, di-, and trinuclear molecular complexes.<sup>38</sup>

The vinylidene fragment is an interesting species, for it represents one of those cases where the properties of a ligand are drastically altered (stability, reactivity) upon coordination to a transition-metal center. This unit can attach to mono- or polynuclear organometallic clusters and the growing amount of experimental information relevant to these systems was reviewed recently.<sup>39</sup>

In the following we discuss the bonding characteristics of  $CCH_2$  in a 2-fold parallel, 2-fold perpendicular, 2-fold bent, and 1-fold linear geometry on a Pt(111) surface. The adsorption sites are depicted schematically from a side view in 41-44. Again a coverage of 1/4 was used in the



computations; one  $\mathrm{CCH}_2$  unit is associated with a set of four surface Pt atoms.

Let us first go briefly through the frontier orbitals of the  $CCH_2$  fragment. They are displayed in 45 in increasing





Figure 14. Total DOS (dashed line) and contributions to it of the  $CCH_2$  states (black area) for  $CCH_2$  on Pt(111) in geometry 41.

order of energy (in parentheses) from left to right. Only  $\pi$  and  $a_1$  are filled in the free ligand. The  $a_1$  and  $b_2$  orbitals are the characteristic  $\sigma$  and p orbitals of any carbene. Interestingly enough, the topology of these orbitals is the same as those of the acetylene, see 6. In this sense CCH<sub>2</sub> and C<sub>2</sub>H<sub>2</sub> are isolobal. A second noteworthy point concerns the LUMO b<sub>2</sub>. This orbital lies relatively low in energy; in particular it is much lower than the LUMO of C<sub>2</sub>H<sub>2</sub>,  $\pi_{\sigma}^*$ .

The 2-fold Parallel Geometry, 41. Figure 14 displays the total DOS (dashed line) of the system upon chemisorption of  $CCH_2$  in this geometry. The dark area represents those states contributed by the organic fragment only. We have indicated with straight lines the location of these states before interaction between  $CCH_2$  and the surface. Just as in the acetylene case, the adsorbate states are spread out dramatically in the process of chemisorption. This is particularly true for the levels generated by the LUMO of  $CCH_2$ ,  $b_2$ . Both filled levels have been pushed down by a significant amount, whereas  $\pi^*$  still retains most of its states at  $\sim -8.2$  eV. Let us first focus on  $a_1$  and  $b_2$ . The separate projections of states descending from  $a_1$  and  $b_2$  show that the lower peak in Figure 14 is not related to  $\pi$  but to  $a_1$ . Upon adsorption, the groups of states generated by the MO's  $\pi$  and  $a_1$  have switched their relative position on the energy scale. A similar unexpected pattern appears on plotting the  $z^2$  and xz states of  $Pt_1$  and  $Pt_2$ . The  $CCH_2$  lone pair  $a_1$  does not interact with the bottom of the  $z^2$  band but with xz bonding states. It is the group of states descending from  $b_2$  that combines with  $z^2$  states. These interactions are shown in 46a,b and



Table IV. Binding Characteristics of Some Vinylidene Adsorption Sites

	с <sub>а</sub> =с(в	4 4 (41)	4 2 (42)	3 (43)	4 4 2 3(44)	
binding energy <sup>a</sup>		-6.13	-5.30	-5.85	-4.62	
fermi level <sup>a</sup>		-10.11	-10.07	-10.07	-10.09	
overlap populations						
C-C	1.441	1.253	1.191	1.132	1.289	
$Pt_1/Pt_2-C$		0.563	0.521	0.553	0.728	
$Pt_3-C_{\alpha}$		0.041	0.072	0.165	0.042	
$Pt_3-C_{\beta}$		-0.006	Ь	0.228	b	
$Pt_1 - Pt_2$		0.049	0.106	0.053	0.138	
net occupations						
$\pi^*$	0.0	0.300	0.426	0.356	0.130	
$b_2$	0.0	1.136	0.998	1.130	1.278	
$a_1$	2.0	1.551	1.551	1.581	1.571	
$\pi$	2.0	1.971	1.899	1.716	1.992	

<sup>a</sup> In electronvolts. <sup>b</sup> This quantity was not calculated.

the above considerations illustrated in Figure 15. This state of affairs is clearly the consequence of strong overlap preferences.

The way  $\pi$  and  $\pi^*$  states enter the bonding picture of  $CCH_2$  at this geometry is interesting for it parallels closely a pattern usually encountered in discrete molecules. The key is to notice that both orbitals can mix with a common piece of the yz band. More specifically, the  $\pi$  states are pushed down by the bottom of the yz band, and the same d states serve to destabilize slightly the  $\pi^*$  states. The interactions at work here are diagramatically depicted in 47. The familiar three-orbital mixing pattern translates



here into a two orbital/one group of states one. The projection of the yz states, not presented here, shows indeed a main peak centered around two smaller peaks: one above, corresponding to most of the  $\pi^*$  states, and the other, lower in energy, matching the energy location of 70% of the  $\pi$  states. From this picture one would anticipate a C-C nonbonding character of the states situated in the central region, just like the nonbonding middle orbital of an allylic system. We see exactly this in the carbon-carbon COOP curve. These states are primarily located on the surface atoms and on the  $\beta$ -carbon atom and therefore are nonbonding between the surface and the  $\alpha$ -carbon.

Altogether, the vinylidene fragment achieves both good  $\sigma$  and  $\pi$  bonding to the surface and we compute a binding energy of 6.12 eV at this geometry. Table IV provides the numerical values obtained from some of the calculated quantities in this geometry and the ones to be discussed next.

The 2-fold Perpendicular Geometry, 42. In this coordination mode the upper  $CH_2$  unit is simply rotated by



Figure 15. (a) Contribution of  $CCH_2 a_1$  states. (b) Contribution of xz (Pt<sub>1</sub>, Pt<sub>2</sub>) states. (c) Contribution of  $CCH_2 b_2$  states. (d) Contribution of  $z^2$  (Pt<sub>1</sub>, Pt<sub>2</sub>) states. The 4 curves refer to the  $CCH_2/Pt(111)$  system in geometry 41 and are magnified by a factor of 10.

90° with respect to its orientation in the parallel geometry 41. Topologically, the same kinds of interactions hold the vinylidene to the surface. However, the LUMO  $b_2$  of CCH<sub>2</sub> is now combining with the *bottom* of the *yz* band; see 48. The energy difference between  $b_2$  and this set of states is now larger than that between  $b_2$  and the *top* of  $z^2$  in the parallel geometry; see **46b**. This translates into a less strong interaction between the surface and CCH<sub>2</sub>. Similar



reasoning may be used for  $\pi$ , which now interacts with the top of the xz band. We believe that these factors contribute heavily to the substantially higher energy of 42 compared to 41.

It is interesting to notice that the analogy between a 2-fold bridging site and a binuclear cluster is still operative in this system. A number of binuclear vinylidene complexes have been structurally characterized<sup>38</sup> and all display the parallel geometry. The  $\alpha$  carbon in both the surface and cluster cases wants to retain its (planar) sp<sup>2</sup> hybridization. The  $\pi$  bond dictates the conformation of the CCH<sub>2</sub> fragment. With no  $\pi$  bond, a methylene fragment, CH<sub>2</sub>, binds to a metal surface in a perpendicular fashion, the carbon atom being in a pseudo-tetrahedral environment.<sup>40</sup>

As indicated in Table IV, the  $Pt_1-Pt_2$  bond becomes weaker upon adsorption of  $CCH_2$  in the parallel geometry than in the perpendicular conformation. This nicely matches an earlier conclusion drawn from the  $C_2H_2$  study: a strong surface-adsorbate interaction translates into a weakening of the bonding within the surface layer.

The 2-fold Bent Geometry, 43. This adsorption geometry is a simple distortion away from the 2-fold parallel one. We allowed the carbon-carbon double bond to lean over a third Pt atom (Pt<sub>3</sub>) so that the two carbon atoms are 2.22 Å from Pt<sub>3</sub>, which should be a bonding distance. Calculations of trinuclear cluster systems have shown<sup>41</sup> that such a distortion is a stabilizing one. However, cluster calculations on CCH<sub>2</sub> in this geometry have shown<sup>40</sup><sup>a</sup> the existence of a repulsive interaction upon bending of the double bond. A  $\mu^3$ - $\eta^2$ -C=CH<sub>2</sub> conformation was recently suggested to occur on Ni(111), based on vibrational frequencies data.<sup>42</sup> Ibach and Lehwald also proposed<sup>5f</sup> in their pioneering study a tilted CCH<sub>2</sub> on Pt(111).

Our computation unfortunately provides ambiguous results as far as this issue is concerned. As shown in Table IV, the bent geometry turns out to be energetically less favorable than the upright one. However, a substantial positive overlap population is computed for the  $Pt_3-C_{\alpha}$  and  $Pt_3-C_{\beta}$  bonds. In that respect, the contact between  $Pt_3$  and the two carbon atoms does not appear to be repulsive. We can trace most of the interaction at work here to states of the type shown in 49, bonding between  $\pi$  and  $z^2$  on  $Pt_3$ .



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Because of the approximate geometry used in this calculation and the lack of sophistication of our computational method, we place limited confidence in the numerical values for the energy and tend to trust more the indications provided by the overlap population values. In particular, we believe that the repulsive interaction between  $\pi$  and  $z^2$  on Pt<sub>3</sub> (recall the latter is almost 100% filled to begin with) is mitigated by mixing of  $\pi^*$  in the antibonding combination of 49. This argument may find some support in the substantial occupation computed for  $\pi^*$  at this geometry, 0.356 electron.

Backtracking a little, note that in the upright geometry the Pt<sub>3</sub>-C<sub> $\alpha$ </sub> overlap population is small but *positive* whereas the Pt<sub>3</sub>-C<sub> $\beta$ </sub> one (also small) is *negative*.<sup>43</sup> We would like to think that the bending motion from the linear geometry might face initially a barrier, but that in fact the bent 2-fold geometry is a minimum in the potential energy surface describing the location of CCH<sub>2</sub> on Pt(111). It will take calculations better than ours and careful geometry optimization to say definitively if this is so.

The 1-fold Linear Geometry, 44. The adsorption of  $CCH_2$  on top of a single Pt atom is easy to analyze because the number of interactions is limited by the geometry. Each combination of surface d orbitals stabilizing  $CCH_2$  in the 2-fold linear geometry finds a topological counterpart in the d orbitals of the unique Pt atom at the 1-fold site. Representative bonding states are depicted in 50a-c.



Notice again that the  $z^2$ - $a_1$  interaction should be mainly repulsive due to the initial occupation of the corresponding antibonding states. However, the electrons which should enter  $z^2$ - $a_1$  antibonding states are ultimately housed in levels initially empty and lying near the Fermi level. These states (bulklike, or centered in the in-plane orbitals of the surface atoms) constitute the empty *reservoir* mentioned in an earlier discussion. Consequently the  $z^2$ - $a_1$  interactions deplete both  $a_1$  and  $z^2$ . The charge in the latter drops from 1.850 to 1.260 electrons upon adsorption of CCH<sub>2</sub>.

The  $xz-b_2$  interaction 50b represents a super back-do-



51

nation from filled yz into empty  $b_2$ , as attested to by the ultimate occupation of  $b_2$  (1.278 e<sup>-</sup>). This electron density does not come from yz of Pt<sub>1</sub> only (see Table IV for numbering system) but is the result of secondary interactions involving adjacent Pt atoms. This is illustrated in 51 and emphasized with arrows. This drawing also points out that  $b_2$  is more heavily filled by the bottom of the  $d_{xz}$  band.

The analysis of the  $yz-\pi$  interactions follows from that carried out for the 2-fold linear geometry. Just as in 47, the resulting states may be grouped into three sets of levels:

<sup>(40) (</sup>a) Minot, C.; Van Hove, M. A.; Somorjai, G. A. Surf. Sci. 1982, 127, 441.
(b) Zheng, C.; Apeloig, Y.; Hoffmann, R., unpublished results.
(c) The reverse conclusion was drawn by Muetterties and co-workers in: Gavin, R. M., Jr.; Reutt, J.; Muetterties, E. L. Proc. Natl. Acad. Sci. U.S.A. 1981, 78, 3981.

<sup>(41)</sup> Schilling, B. E. R.; Hoffmann, R. J. Am. Chem. Soc. 1978, 100, 6274.

<sup>(42)</sup> Evans, J.; McNulty, G. S. J. Chem. Soc., Dalton Trans. 1984, 79.

<sup>(43)</sup> This could lead one to think that a 3-fold upright geometry is the best one. This was tested numerically and the energy for this geometry is the highest of all sites, primarily due to weakening of the surface-CCH<sub>2</sub>  $\sigma$  bonding.

bonding, nonbonding, and antibonding. The partial occupation of the nonbonding levels induces a transfer of electrons into  $\pi^*$ .

The bonding of  $CCH_2$  in this on-top adsorption site parallels that of carbon monoxide on surfaces in the same geometry. This is understandable since the two fragments are isoelectronic and isolobal. One noteworthy difference is the lesser involvement of the CO  $\pi$  orbitals. These lie deeper in energy than  $\pi$  of CCH<sub>2</sub> with respect to the metal d band. A detailed analysis of this system is available elsewhere.<sup>44</sup>

As indicated in Table IV, our computations put the 1-fold geometry  $\sim 1.5 \text{ eV}$  higher in energy than both the 2-fold linear and 2-fold bent conformations. We believe that the reason for this state of affairs is not that there is anything intrinsically wrong with the on-top site but rather that  $CCH_2$  is altogether better bound in the other two geometries. The bonding between the  $\alpha$  carbon and  $Pt_1$  in 44 is excellent as evidenced by the overlap population of 0.728 in the corresponding bond. This may be calibrated incidentally by the Mn–C  $_{\alpha}$  overlap population in  $Cp(CO)_2Mn(C=CH_2)$  which is 0.480 for a Mn-C<sub>a</sub> distance of 1.90 Å. In the bridged geometries 41 and 42, the bonding is less strong in any of the Pt-C bonds than in the  $Pt_1-C_{\alpha}$  bond of 44, but the sum of all Pt-C interactions is overall greater than in 44. More surface atoms are involved in bonding, hence more d states are pushed down: a lower total energy results.

#### Ethylidyne on Pt(111)

The ethylidyne fragment (CCH<sub>3</sub>) has been detected on Rh(111), Pd(111), and Pt(111) surfaces both by LEED and by vibrational spectroscopic techniques.<sup>4d,45</sup> The species is formed after heating  $C_2H_2$  or  $C_2H_4$  on these surfaces. A general agreement has been reached in the recent past for the choice of the CCH<sub>3</sub> adsorption site: the 3-fold bridging conformation 54 appears to be the most favorable geometry



as opposed to a 1-fold **52**, or a 2-fold **53**, alternative. In their study of the cluster-surface analogy,<sup>46</sup> Sheppard and co-workers have correlated successfully spectroscopic data for CCH<sub>3</sub> on surfaces and trinuclear clusters<sup>47</sup> in a 3-fold geometry.

Ethylidyne (or more generally alkylidyne) fragments are presently known to bind to mono-,<sup>48</sup> bi-,<sup>49</sup> and trinuclear<sup>50</sup>

(47) Skinner, P.; Howard, M. W.; Oxton, I. A.; Kettle, S. F. A.; Powell,
D. B.; Sheppard, N. J. Chem. Soc., Faraday Trans. 2 1981, 2, 1203.
(48) (a) Fisher, E. O.; Schubert, U. J. Organomet. Chem. 1975, 100,



**Figure 16.** Left: Contributions of CCH<sub>3</sub> states of the CCH<sub>3</sub>/Pt(111) systems in the 1-fold geometry. Right: Contributions of CCH<sub>3</sub> states of the CCH<sub>3</sub>/Pt(111) system in the 3-fold geometry.

organometallic frameworks. In this section we would like to understand the reasons for the inevitable preference of a 3-fold site coordination when  $CCH_3$  adsorbs on the (111) face of a Pt surface.

In 55 are shown the familiar frontier orbitals of a  $C-CH_3$ 



unit. In increasing order of energy one finds a filled MO of  $a_1$  symmetry and a degenerate pair, e, composed of  $p_x$  and  $p_y$  on the unsaturated carbon atom. A single electron is housed in the e set. The fragment is of  $C_{3v}$  symmetry. When it is chemisorbed in a 1-fold (52) or a 3-fold (54) geometry, a local 3-fold axis of symmetry is retained. For this reason we will deal with these 2 adsorption sites at the same time. Then we examine the 2-fold geometry.

Ethylidyne in the 1-fold (52) and 3-fold (54) Geometry. The left side of Figure 16 shows what has happened to the CCH<sub>3</sub> states upon adsorption in the 1-fold geometry. On the right-hand side of Figure 16 is the corresponding plot for the 3-fold geometry. The two pictures have been magnified, and the total DOS has been omitted in both cases. We would like to concentrate on the differences and common aspects between these two plots. First, their general shape is similar. More specifically, there is a common peak in the neighborhood of -14.0 eV, slightly lower for the 3-fold geometry. Separate projection of the individual fragment orbitals of  $CCH_3$  (those shown in 55) make it clear that the peak under consideration is primarily composed of  $a_1$  states. A glance at the stick marks, which indicate the location of the CCH<sub>3</sub> states before interaction, tells us that the vast majority (70%) of  $a_1$  states are pushed down in energy by  $\sim 1.3$  eV in both adsorption

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(45) Kesmodel, L. L. J. Vac. Sci. Technol., A 1984, 2, 1082. Horsley,
J. A.; Stöhr, J.; Koestner, R. J. J. Chem. Phys. 1985, 83, 3146.

<sup>(46) (</sup>a) Sheppard, N. J. Mol. Struct. 1982, 80, 163. (b) Chesters, M. A.; Sheppard, N. Chem. Br. 1981, 17, 521. (c) Oxton, I. A.; Powell, D. B.; Sheppard, N.; Burgen, K.; Johnson, B. F. G.; Lewis J. J. Chem. Soc., Chem. Commun. 1982, 719. (d) Howard, M. W.; Kettle, S. F. A.; Oxton, I. A.; Powell, D. B.; Sheppard, N.; Skinner, P. J. Chem. Soc., Faraday Trans. 2 1981, 2, 77.

<sup>(45) (</sup>a) Fisher, E. O.; Schubert, U. J. Organomet. Chem. 1973, 100,
59. (b) McLain, S. J.; Wood, C. D.; Messerle, L. W.; Schrock, R. R.;
Hollander, F. J.; Yongs, W. J.; Churchill, M. R. J. Am. Chem. Soc. 1978, 100, 5962. (c) Birdwhistell, K. R.; Burgmeyer Nietzer, S. J.; Templeton,
J. L. Ibid. 1983, 105, 7789. (d) Chisholm, M. H.; Huffman, J. C.; Marchant, N. S. Ibid. 1983, 105, 6162.

 <sup>(49) (</sup>a) Casey, C. P.; Marder, S. R.; Fajan, P. J. J. Am. Chem. Soc.
 1982, 104, 4950. (b) Davies, D. L.; Dyke, A. F.; Endesfelder, A.; Knox,
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<sup>(50) (</sup>a) Park, J. T.; Shapley, J. R.; Churchill, M. R.; Bueno, C. J. Am. Chem. Soc. 1983, 105, 6182. (b) Canty, A. J.; Johnson, B. F. G.; Lewis, J.; Norton, J. R. J. Chem. Soc., Chem. Commun. 1972, 1331. (c) Markby, R.; Wender, J.; Friedel, R. A.; Cotton, F. A.; Sternberg, F. W. J. Am. Chem. Soc. 1958, 80, 6529. (d) Wong, K. S.; Haller, K. J.; Dutta, J. K.; Chipman, D. M.; Fehlner, T. P., unpublished results.



Figure 17. COOP curve for the  $(\alpha$ -carbon)-Pt<sub>1</sub> bond in the 1-fold (left) and 3-fold (right) geometry of the CCH<sub>3</sub>/Pt(111) system.

sites. The states concentrated in this region are combinations of the type 56a and 56b,c for 52 and 54, respec-



tively, bonding between  $CCH_3$  and the surface.

The remaining part of the curves in Figure 16 describes the position of the states descending from the e set of  $CCH_3$ . We find here some important differences. A peak at -13.0 eV in the right plot is totally absent from the left-hand side picture. The states in the latter are packed in the -10.0- to -12.0-eV region whereas they spread over a larger energy range in the 3-fold geometry. In particular, the existence of a peak at -9.5 eV for the 3-fold curve, above the Fermi level, contrasts with the location of a peak at -10.0 eV roughly centered at  $\epsilon_{\rm F}$ , therefore partially filled, in the 1-fold geometry. The states in question now are antibonding between the e set and the surface. Figure 17 illustrates this point. On the right is displayed the COOP curve between one of the three equivalent Pt atoms in contact with CCH<sub>3</sub> and the unsaturated carbon atom. The crucial feature of these curves is the location of the Fermi level. On the right-hand side plot, no Pt-C antibonding state is filled. This is not the case in the 1-fold geometry. In Figure 17 we indicate the type of interaction that generates the peaks in the two curves. Note in particular that the bonding interactions are concentrated lower in energy for the 3-fold geometry; this incidentally corroborates the fact that antibonding states lie higher in this case too. The e states initially at -11.0 eV nicely split into bonding and antibonding states in both adsorption sites. The fundamental difference is that in the 1-fold geometry, the splitting, which is essentially a measure of the interaction with the surface orbitals, is not large enough so that all antibonding states can be emptied. The interaction between  $CCH_3$  and three surface atoms is overall stronger than the interaction with one single atom. The reader may wonder where the antibonding counterpart of the  $z^2-a_1$ bonding combinations are in Figure 17. As discussed earlier, these states are simply diluted in the bonding states, between the e set of  $CCH_3$  and the surface orbitals, in the -10.0- to -13.0-eV region.

Table V provides some of the numerical results obtained for the adsorption of  $CCH_3$  onto Pt(111) in the three geometries **52–54**. A point of particular interest is the larger overlap population between one Pt atom and C-CH<sub>3</sub> in the 1-fold geometry than the 3-fold one. This appears to contradict our previous statement where we emphasized

Table V. Bonding Characteristics of Some Ethylidyne Geometries

	C-CH3	1-fold, <b>52</b>	2-fold, 53	3-fold, 54
binding energy, eV		-5.46	-7.4	8.32
ε <sub>F</sub> , eV		-10.09	-10.05	-10.05
Pt-C overlap population		0.777	0.620	0.534
surface/CCH <sub>3</sub> overlap population		0.777	1.241	1.600
occupation of e set	1.0	3.03	2.15	2.27

the filling of Pt-C antibonding states in the 1-fold case and not in the 3-fold geometry. However, what these numbers mean is that the bonding between the unique Pt atom in 52 and the carbon atom is larger than the bonding between one of the three equivalent Pt atoms in 54 and the carbon atom; this is true notwithstanding the filling of Pt-C antibonding states in 52. The reasons for this situation are traced to the difference in the "quality" of the bonding states in the two cases. In 52, the overlap between the e set and xz and yz is extremely large; hence excellent bonding is achieved in the corresponding bonding states. The bonding is even large enough so that it makes up for the filling of antibonding states and generates a bigger overlap population than that ensuing from the interaction of one Pt atom with  $CCH_3$  in 54, even though in this last case no antibonding states are filled. The cooperative effect of the three equivalent Pt atoms in 54 provides extremely strong bonding and counterbalances the poorer overlap existing between the orbitals of the e set of  $CCH_3$ and the *individual* atomic orbitals on each of the three Pt atoms compared to the overlap between the e set and xz(yz) of the unique Pt atom in 52.

A final comment to be made is that the numbers in Table V deal with the occupation of the e set after chemisorption. Electron transfer operates more efficiently in 52 than in 54. This results simply from partial occupation of  $CCH_3$ /surface antibonding states featuring the e set of the ethylidyne. In an exaggerated representation, the situation is that of 57 where the shaded areas correspond to filled states.

The 2-fold Geometry, 53. We will not dwell on this adsorption site; as might have been anticipated, the results are in between those obtained for the 1-fold and 3-fold geometry. The bonding may be analyzed along the same lines as that of the 2-fold upright geometry of the vinylidene CCH<sub>2</sub>. We may further recognize the similarity between the two systems by noting that the 2-fold geometry 53 is related to that occurring in binuclear ethylidyne complexes. Most of the latter are cationic, and assigning the positive charge to the unsaturated carbon of CCH<sub>3</sub> makes these systems analogous to binuclear vinylidene complexes.<sup>51</sup> From this standpoint, the bonding in 58a,b,

<sup>(51)</sup> Hoffmann, R. Angew. Chem., Int. Ed. Engl. 1982, 12, 711.



where M–M represents a binuclear framework, is described by the same interactions. We should not then be surprised that, topologically, the interactions anchoring a  $CCH_3$  and a  $CCH_2$  unit to the same surface are similar.

Before concluding this section, we should point out that the hexagonal surface possesses two nonequivalent 3-fold hollows. These are distinguished by the presence or absence of a second-layer atom below them. They are usually referred to as hcp (hexagonal close packing) or fcc (facecentered cubic) hollows.<sup>4d</sup> Diffraction studies reveal that the CCH<sub>3</sub> is located atop of a fcc hollow on the (111) face of Pt. Our calculations put the two adsorption sites at the same energy, probably a consequence of the small number of layers used in this work.

#### Acetylene on Other Surfaces

The acetylene molecule is known to chemisorb on a number of different surfaces, as was stated in the introduction. We now want to explore the reasons for (i) the enhanced reactivity of  $C_2H_2$  when the latter is adsorbed on the (100) face of Fe and (ii) its lack of reactivity on Cu(111).

 $C_2H_2$  on Fe(100). The (100) face of iron is of square symmetry. Each layer is translated by the  $\binom{1}{2}$ ,  $\binom{1}{2}$ , 0) vector, with respect to the one right above it. The unit cell of the three-layer slab used for this series of calculations is shown in 59. The surface layer atoms are repre-



sented by solid lines whereas the next layer atoms are dotted. The atoms of the third layer have identical (x,y)coordinates with those of layer 1 but are 3.51 Å below them. The unit cell is in fact doubled in 59 because we are to investigate the bonding of  $C_2H_2$  in the geometry shown in 60. The coverage is again 1/4, i.e., one  $C_2H_2$  for four surface Fe atoms. No attempt will be made to study



Figure 18. Left: Total DOS (dashed line) and contributions to it of the surface atoms (solid line) in the bare Fe(100) slab. Right: Total DOS (dashed line) and contribution to it of the  $C_2H_2$  states for the  $C_2H_2/Fe(100)$  system in the 4-fold geometry. The areas under the contribution curves are darkened.

the influence of the coverage. The interested reader is referred to a nice discussion of this topic in a recent article by Anderson. $^{52}$ 

The previous sections of the present work have concentrated on the static interactions involved in the phenomenon of chemisorption. In the following, we look at the dynamics of  $C_2H_2$  onto the surface starting with the 4-fold geometry 60. In particular we aim at understanding the role of the surface in making the cleavage of the acetylenic triple bond a process essentially free of activation energy.

Clearly, the bond must be weakened as soon as adsorption has taken place. Figure 18 shows at left the DOS of the bare surface and at right the DOS after the acetylene layer covers it. The dark area represents those states contributed by  $C_2H_2$ . Note the location of the d states on the bare surface: -7.0 to -12.0 eV. The d bands are considerably shifted up in energy as compared to those of the Pt surface; see Figure 3. The Fermi level is consequently found some 2.0 eV higher in energy, at -8.08 eV. The acetylene states spread over the -5.0- to -14.0-eV region as displayed on the right-hand side of the figure. This large dispersion of the acetylene states leads one to think that  $C_2H_2$  is strongly bound to the surface: indeed one computes an overlap population of 0.442 for each of the four equivalent Fe-C interactions. However, the C-C overlap population, initially 1.703, drops dramatically to 0.965.

We have here the other extreme situation resulting from excessively strong bonding between the surface and the adsorbate: drastic weakening of the bonding within the adsorbate. The 4-fold adsorption of  $C_2H_2$  on Pt(111), discussed in an earlier section, represented the case where it was the surface itself that had to pay the price of strong bonding to the adsorbate. Remember that surface reconstruction was anticipated in this case. The tremendous weakening of the C-C bond obviously will have important consequences vis à vis the ultimate reactivity of  $C_2H_2$  on the surface. We return to this later. For now let us inquire which electron drift,  $C_2H_2 \rightarrow$  metal or metal  $\rightarrow C_2H_2$ , causes this abrupt decrease in the C-C bond strength. Figure 19 deconvolutes the  $C_2H_2$  states of Figure 18 with

<sup>(52)</sup> See first paper in ref 11c. Also, the influence of the metal d-band position and the orbital size effect are discussed in a paper dealing with  $C_2H_2$  on vanadium surfaces: Kang, D. B.; Anderson, A. B., unpublished results.



Figure 19. From left to right are the contributions to the DOS of  $\pi$ ,  $\pi_{\sigma}$ ,  $\pi_{\sigma}^*$ , and  $\pi^*$  of C<sub>2</sub>H<sub>2</sub> for the C<sub>2</sub>H<sub>2</sub>/Fe(100) system in the 4-fold geometry. The sticks refer to the location of the corresponding states in the free C<sub>2</sub>H<sub>2</sub>. The curves are magnified by a factor of 4.2.

the contribution of each group of states according to their origin in the free acetylene. From left to right are the  $\pi$ ,  $\pi_{\sigma}$ ,  $\pi_{\sigma}^*$ , and  $\pi^*$  states. Using the now familiar convention of the sticks for the levels of  $C_2H_2$  before interaction, one can measure the effects of chemisorption in each case. The Fermi level is also indicated.

It is apparent that the  $\pi$  and  $\pi_{\sigma}$  states are pushed down upon interaction. Not that much though. For instance, the  $\pi$  states are sent down less in energy than in the 2-fold Pt(111) case. Recalling that the strength of the interaction is governed by the energy difference between combining orbitals, the fact that the d block of Fe is moved up by  $\sim 2$ eV with respect to that of Pt, i.e., further away from  $\pi$  (and  $\pi_{\sigma}$ ), makes it clear why the C<sub>2</sub>H<sub>2</sub> bonding orbitals are stabilized less by the Fe(100) surface than by Pt(111).

By the same argument, one anticipates stronger interactions involving  $\pi_{\sigma}^*$  and  $\pi^*$  in the iron case. A glance at the right-hand side plots of Figure 19 shows that this is indeed true. Please focus on the integration curves: at the Fermi level,  $\pi_{\sigma}^*$  is occupied by 1.35 electrons and  $\pi^*$ is filled with 1.065 electrons. These numbers are much larger than any of the corresponding ones encountered in Table III dealing with the  $C_2H_2/Pt(111)$  system. The weakening of the acetylenic triple bond results from an enormous back-donation from the metal into C–C antibonding orbitals. Notice that this is particularly true for  $\pi^*$  of  $C_2H_2$ . The interactions at work here are combinations of the type shown in **61a,b**. A similar discussion to the



one presented here may be found in recent work from Anderson.  $^{52}\,$ 

In order to anticipate the consequences of the bond strength change during the process of chemisorption, we would like to try to calibrate in terms of energy the difference in C-C overlap population before and after adsorption. The acetylenic triple bond is worth ~200 kcal/mol.<sup>53</sup> The overlap population computed for the chemisorbed species is roughly that of single C-C bond, worth  $\sim 85$  kcal/mol. What this means is that the energy required for dissociating the chemisorbed  $C_2H_2$  molecule into two CH fragments on the surface has been decreased by a factor greater than 2.

Before turning to the actual cleavage of the C–C bond on the surface, we describe rapidly the salient features of the same process when the surface is absent. Most of the information is obtained by the computation of a Walsh diagram along the path taking  $C_2H_2$  into two CH fragments. In 62 we depict schematically the evolution of the



 $C_2H_2$  orbitals for this transformation. The analysis is straightforward and we will not go into the details of it. Formally three bonds are broken, one of  $\sigma$  type and two of  $\pi$  type. The corresponding bonding MO's ( $\sigma$ ,  $\pi_{\sigma}$ ,  $\pi$ ) see their energy rise whereas their antibonding counterparts ( $\pi_{\sigma}^{*}, \pi^{*}, \sigma^{*}$ ) drop. For a large separation between the 2 CH units, one finds on the right-hand side of 62 the symmetric and antisymmetric combinations of the sp hybrid and the e set. These combinations are degenerate if no overlap exists between the two fragments. The large activation energy associated with the cleavage of the triple bond is clearly generated by filled  $\sigma$ ,  $\pi$ , and  $\pi_{\sigma}$ , all rising sharply

<sup>(53)</sup> These bond energies are extracted from: March, J. "Advanced Organic Chemistry", 2nd ed.; McGraw-Hill: New York, 1977; p 28.

up during the process. We compute a 9-eV barrier for the dissociation of 62.

What happens when the same reaction occurs on Fe(100)? We divided the transformation shown in 63 in five



63

steps, keeping the Fe to C distance at a fixed value<sup>54</sup> of 2.03 Å. The energy of the system exhibits a *continuous decrease* and the dissociated  $C_2H_2$  system **63b** is stabilized by 5.2 eV over the nondissociated one, **63a**. Experimentally, the process occurs spontaneously at 95 K, which translates into a small barrier, if any.

The calculations therefore show that the  $C_2H_2/Fe(100)$ system as a whole moves to lower energy upon cleavage of the carbon-carbon bond. The reason for this is found in the increased bonding in each Fe-C bond. A plot of the overlap population of one of the four equivalent Fe-C bonds is shown in 64. The reaction coordinate is the





five-step sequence mentioned above. The increase in bond strength must be multiplied by 4 to reflect what is happening per unit cell. On the same plot and referred to the right-hand side axis is the C-C overlap population. Note that the Fe-C line curves slightly down at the end point; we have not yet succeeded in explaining this.

To understand how the increase in the Fe–C bond strength comes about, it is useful to return temporarily to 62. In the initial stages of the reaction  $\pi$  and  $\pi_{\sigma}$  go up and therefore get closer in energy to the d block. In turn this translates into stronger bonding interactions between these states. Simultaneously,  $\pi^*$  and  $\pi_{\sigma}^*$  drop in energy and therefore increase their electron density content from back-donation. This serves as a driving force to elongate the C–C bond. Acting against this is rising  $\sigma$ . However, the  $\sigma$  MO will present two lobes toward the surface during the reorientation of the C–H bonds. These lobes will interact with the bottom of the d band and further enhance Fe–C bonding. In the later stages of the process,  $\sigma^*$  comes into play. Figure 20 shows the DOS contribution of  $\sigma^*$  in the last three steps of our idealized surface. From left to right the C-C distance goes from 1.94 to 2.20 to 2.48 Å. and again the Fe-C distance is constant. The states generated by  $\sigma^*$ , which ultimately evolves into the antisymmetric combination of the p<sub>r</sub> orbitals on the two carbons, mix more and more with the d bands. Look especially at the shift in position of the integration curve. The stick marks locate the  $\sigma^*$  orbital in the organic fragment without the surface. Notice that when  $\sigma^*$  hits the energy range containing the d band, the states resulting from interaction are extremely dispersed. Once  $\sigma^*$  is below -8.0 eV (the bottom of the d band), the states that are surface-CH bonding in character emerge as a much narrower peak.

Along the same lines,  $\sigma^*$  becomes the antisymmetric combination of the p, orbitals, which enter strong bonding via interactions such as 65a with surface d states. Better



overlap is achieved in these combinations than in those involving  $p_x$ , **65b** for example. Therefore, the states generated by the degenerate set  $e_x$ , see **62**, are found higher in energy than those descending from  $e_y$ . The splitting is small but significant: 0.7 eV.

The dismantling of the C–C bond on the Fe(100) surface perhaps illustrates what we call a principle of bonding transfer. The bonding inherent in the C–C bond is passed to the surface/CH fragment interactions. This idea also applies to nondissociative chemisorption such as  $C_2H_2$  on Pt(111). The surface to adsorbate bonding is in this case less strong but the C–C bond is weakened to a much lesser extent. The 4-fold adsorption of  $C_2H_2$  on Pt(111), or more generally cases where surface reconstruction occurs on chemisorption, represents an alternative in which the surface–adsorbate bonding is paid for by loss of bonding within the surface.

We can try to cast in more general terms how the surface assists the C-C bond-breaking. The analysis of the projected DOS of both filled and empty  $C_2H_2$  orbitals along the path 63 shows that rising filled orbitals are stabilized by the surface states with respect to their energy location in the free organic fragment. Imagine a hypothetical reaction where a  $\sigma$  bond is broken. A schematic version of the orbital changes and the energy profile for this reaction is given in 66. The role of a hypothetical catalyst for this



transformation is defined by the two dashed lines: interaction with the catalyst pushes the rising filled orbital down in energy. In other words, some catalyst acceptor states enter bonding combination with  $\sigma$ , stabilizing this

<sup>(54)</sup> This does not change our conclusions. The reader should also be aware of the fact that experimentally the Fe-C distances decrease. At the end point, these are 1.75 Å. In this study, we used 2.03 Å throughout to keep the meaningfulness of the changes in overlap populations.



Figure 20. From left to right are the contributions of the carbon-carbon  $\sigma^*$  states for different C-C distances, see text. The curves are magnified by a factor of 5.5.

orbital. Conversely,  $\sigma^*$  acts as an acceptor toward some filled catalyst states. The latter are depressed in energy, whereas the  $\sigma^*$  is pushed up as indicated on the right-hand side of 66. The pattern in 66 is found, for example, in alkyl migrations<sup>55</sup> and hydrogen shifts<sup>38</sup> in organometallic chemistry. The influence of the surface on the C<sub>2</sub>H<sub>2</sub> carbon-carbon cleavage is in many respects similar to that of the transition-metal fragment in these systems. In the C<sub>2</sub>H<sub>2</sub>/Fe(100) case, the surface does not act upon one molecular orbital but rather on groups of states.

Note that  $\sigma^*$  on the left-hand side plot of Figure 20 is not pushed up but stabilized. This appears to contradict the picture of 66. What happens here is that the  $\sigma^*$  states actually interact with the surface p states located in the -3.8-eV region and are in fact stabilized. Would the  $\sigma^*$ states be involved only with lower lying metal d states, they would end up higher than the stick shown in the figure. Recall that the latter indicates the energy of the  $\sigma^*$  orbital of the organic fragment in the absence of the surface at the geometry under consideration.

The picture discussed in 66 may, however, be used for the bonding  $\pi$  orbital of C<sub>2</sub>H<sub>2</sub>. In the free ligand it goes up in energy during the C-C bond-breaking process. This means that in the course of the reaction, the  $\pi$  states will interact more and more with the d bands and therefore are increasingly stabilized. The argument is illustrated in 67. The solid line shows the evolution of the energy of



(55) Berke, H.; Hoffmann, R. J. Am. Chem. Soc. 1978, 100, 7224.

 $\pi$  in the ligand in the absence of the surface. The dashed line represents the energy below which one finds 50% of the  $\pi$  states in the total DOS of the whole C<sub>2</sub>H<sub>2</sub>/surface system. The dashed curve rises at a significantly lesser pace than the solid one. 67 is the solid-state equivalent of what was described in 66 for molecular orbital  $\sigma$ . Note that at point 5 in 67, the  $\pi$  orbital is at -11.4 eV, which is the energy of a pure p orbital of carbon. The  $\pi$  MO is at this point the symmetric combination of two p<sub>y</sub> orbitals belonging to two noninteracting CH fragments.

Finally, it is interesting to look at the behavior of  $\pi_{\sigma}$ . This is a case where the overlap factor (in the perturbation term) wins over the energy one. Just as  $\pi$ ,  $\pi_{\sigma}$  rises in energy when the C–C bond is stretched. However, instead of finding the  $\pi_{\sigma}$  states more stabilized in the process, we find them *less* stabilized. This is because of  $p_x$  orbital ultimately does not overlap well with the surface states. These ideas are illustrated in 68, in a top view. The overlap



between the yz states of the surface and  $p_x$  clearly drops to zero at the final geometry for symmetry reasons. As mentioned earlier, the  $p_x$  orbital (or the  $e_x$  set) at point 5 can interact only with xz states with a relatively mediocre overlap, see **65b**.

 $C_2H_2$  on Cu(111). The (111) face of copper is hexagonal, just like Pt(111). We carried out computations for  $C_2H_2$ adsorbed in the 2-fold and 4-fold geometry, still using a three-layer slab to model the surface. The Cu–C distances are 2.03 Å. The 2-fold geometry is computed to be more stable than the 4-fold one by ~1.5 eV per  $C_2H_2$ . More importantly, the numerical results point to a strongly chemisorbed species with great back-bonding from Cu to  $C_2H_2$ . These findings do not agree with the experimental results discussed in the introduction. We offer two reasons for this: first, the Fermi level of the bare surface is high in energy: -7.40 eV. This is much higher than that of Pt(111) and does not compare well with what one would expect from the work function of Pt(111)<sup>5b</sup> (5.7 eV) and

Table VI. Extended Hückel Parameters

orbital	$H_{\rm ii}$ , eV	ζ <sub>1</sub>	52	$C_1^a$	$C_2^a$	
$\mathbf{Pt}^{b}$						
5d	-12.59	6.013	2.696	0.6334	0.5513	
6s	-9.077	2.554				
6p	-5.475	2.554				
$\mathbf{Pt}^{c}$						
5d	-11.260	6.013	2.696	0.6333	0.5512	
<b>6</b> s	-9.29	2.554				
6p	-4.48	2.554				
Fe						
3 <b>d</b>	-9.2	5.35	1.80	0.5366	0.6678	
<b>4</b> s	-7.6	1.90				
4p	-0.8	1.90				
Cu						
3d	-11.9	5.95	2.30	0.5933	0.5744	
4s	-8.4	2.20				
4p	-3.9	2.20				
С						
2s	-21.4	1.675				
2p	-11.4	1.625				
0						
2s	-32.3	2.275				
2p	-14.8	2.275				
Р						
3 <b>s</b>	-18.6	1.6				
3 <b>p</b>	-14.0	1.6				
Н						
1s	-13.6	1.30				

<sup>a</sup>These are the coefficients in the double- $\zeta$  expansion. <sup>b</sup>Molecular calculations. <sup>c</sup>Surface calculations.

 $Cu(111)^{56}$  (4.9 eV). In other words, our calculations may not reproduce well here the amount of penetration of the s band into the d block.

Second, the computations were performed assuming a strong  $C_2H_2$ /surface interaction with the use of a bonding Cu–C distance. In reality the  $C_2H_2$  is only weakly chem-isorbed and as Somorjai has put<sup>57</sup> it: "the activation energy for reaction with the metal surface is significantly larger than the heat of adsorption". This would mean that there is a substantial barrier to going from a weakly bound  $C_2H_2$ to the strongly bound state, i.e., the one investigated numerically by us. To check this point, we ran a series of calculations, bringing the acetylene down in the 2-fold geometry with a Cu-C distance decreasing from 2.50 to 2.03 Å. The energy drops continuously but the curve features a slight shoulder at 2.25 Å. This may be a hint of the existence of a barrier, which our calculations, which are poor at reproducing the repulsive part of a chemisorption potential, do not model well. We eagerly await more sophisticated computations on this system. We should point out finally that previous experimental and theoretical studies of  $C_2H_2$  attach to a "d<sup>11</sup>" Cu atom have suggested that only small back-bonding from Cu to  $C_2H_2$ is taking place in these systems.<sup>58</sup>

#### Conclusions

In this study, we have investigated the bonding of some unsaturated  $C_2$  hydrocarbon fragments to metal surfaces. It is clear that in each adsorption site one finds similarities in the topology of the interactions in a molecule-cluster and adsorbate-surface system. The difference comes about in the electron reorganization following chemisorption. Silvestre and Hoffmann

The existence of many states around the Fermi level of the surface in some sense allows a greater flexibility for the bonding of a molecule to a surface than to a discrete fragment. This reservoir of states can be either filled or emptied, depending on the metal involved and the adsorption site. The major contribution of these states to the overall bonding process is in secondary interactions. A surface featuring a high d-band filling will act as a donor toward the adsorbate in the primary interactions. The secondary interaction is a repulsive one between donor states of the adsorbate and filled metal d states. The reservoir of states has the crucial role of housing electrons that otherwise would enter highly antibonding states as a result of the repulsion. We should here perhaps emphasize the fact that these states are bulklike in nature, being chiefly localized on inner-layer atoms of the surface. In 69a, we illustrate these considerations and show how



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bulk states get filled when an adsorbate interacts with an electron-rich surface. Turning to the case of a low d-band filling (electron-poor surface), the primary interaction involve the acceptor character of the surface: many metal d states are empty prior to chemisorption and accept electron density from filled orbitals of the adsorbate. Secondary interactions now are between empty states of the surface and empty states of the adsorbate. The resulting bonding levels fall below the Fermi level. In turn, those bulk states that are initially filled transfer their electron density into these newly generated bonding states. A graphic version of this discussion is shown in 69b.

Another conclusion that emerges from this work is that the possibility of nondissociative chemisorption is the result of a compromise. The surface and the adsorbate see their intrinsic bonding weakened in the process. A nondissociative chemisorption ensues when a balance between these two effects is reached. Surfaces composed of transition metals such as Fe or W have rather high-lying (albeit incompletely) filled d bands and are more prone to backbonding and therefore more likely to give rise to dissociative mechanisms than, say, Pt surfaces. We may have in hand here the reason for the general high reactivity of these surfaces.

Acknowledgment. We are grateful to Chong Zheng for many discussions and for sharing with us his expertise in solid-state calculations. Thanks are extended to Cora Eckenroth for typing the manuscript and Jane Jorgensen and Elisabeth Fields for skillful execution of the drawings. The manuscript has benefited from useful comments of the referees. Our work was generously supported by the Office of Naval Research.

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### **Appendix** 1

The following geometrical parameters were used throughout: C-C = 1.34 Å; C-H = 1.09 Å; CCH angle = 140° in  $C_2H_2$ , 120° in CCH<sub>2</sub>; Pt-Pt = 2.775 Å; Fe-Fe = 2.482 Å; Cu-Cu = 2.556 Å. For the ethylidyne fragment, the C–C and C–H bonds were 1.54 and 1.09 Å and the  $\beta$ carbon was chosen tetrahedral. The metal to carbon distance was in all cases set at 2.03 Å. The calculations performed on 12a,b used Pt-C(O) 1.85 Å, C-O = 1.14 Å.

#### Appendix 2

The parameters used in the computations are listed in Table VI. For the molecular calculations, the Pt parameters come from earlier work.<sup>17b</sup> The metal H<sub>ii</sub>'s for the surface calculations were obtained by a charge iteration procedure on the bulk in each case.<sup>59</sup> The average on the hexagonal (111) surface was performed by using a 9k point set<sup>60</sup> appropriately reduced when symmetry factors allowed to do so. A 16k point  $set^{61}$  was used for the (100) cubic face of Fe.

Registry No. HCCH, 74-86-2; CCH<sub>2</sub>, 2143-69-3; CCH<sub>3</sub>, 67624-57-1; Pt, 7440-06-4; Fe, 7439-89-6; Cu, 7440-50-8.

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# **Modification of Foam Drainage by Electroosmotic Effect**

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Received January 7, 1985. In Final Form: June 13, 1985

Electroosmotic liquid mass transfer is observed in air-liquid foams subjected to dc fields in the range 15-100 V cm<sup>-1</sup>. Foams were prepared by using aqueous sodium lauryl sulfate solutions and subjected to either vertical or horizontal dc fields. Liquid transfer was monitored by volumetric and conductance measurements. In each case liquid moved toward the cathode, thus affecting spontaneous drainage. Transferred liquid volumes are proportional to the applied dc voltage; the average electroosmotic coefficient  $(\beta = J_v/I)_{\Delta P=0}$  was found to be  $-4.4 \times 10^{-6}$  m<sup>3</sup> C<sup>-1</sup>, for a foam prepared with a 0.15% lauryl sulfate solution.

#### Introduction

Air-liquid foams have a number of technological applications, in flotation and other chemical separation processes,<sup>1</sup> oil extraction,<sup>2</sup> and fire fighting.<sup>3</sup> Once used, they have to be destroyed and this is currently done by using antifoam agents,<sup>4</sup> water sprinklers,<sup>5</sup> mechanical baffles,<sup>6</sup> and other devices.<sup>7</sup>

Foams are usually stabilized by surfactants, which can confer on them the important characteristics.<sup>8</sup> (i) high consistency, (ii) ability to resist mechanical deformations, and (iii) slow liquid drainage. These characteristics are

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dependent on the viscosity of the foam-film surfaces, elasticity associated with the Marangoni effect, and the repulsion between electrical double layers found at both sides of liquid films.

Since they are colloidal systems with a well-defined electrical double-layer structure, foams should display electrokinetic effects. Consequently liquid drainage in foams should be accelerated or retarded by electric fields. In this work, we report the use of electric fields to enhance foam drainage.

#### **Experimental Section**

Materials. Sodium lauryl sulfate (SLS) was purchased from Sigma Chemical Co. with purity exceeding 99%. A minimum in the surface tension-bulk concentration curve was not detected by the pendant-drop method.<sup>9</sup> The water was doubly distilled and its conductivity was below 3  $\mu$ S.

Apparatus. Two different experimental setups were used. In the first setup (Figure 1), the foam was made by agitation with a blendor (Walita Model HL 3232). A standard agitation time was 18 s, the foam being transferred immediately to a container (B) made of acrylic sheet. The foam container is divided into two compartments by a central septum made of acrylic. Each compartment contains a platinum electrode held by the container cover. The platinum electrodes were introduced in a porous cellophane membrane (Figure 1), containing surfactant solution. That assemby allows an indirect contact between the electrode and the foam, thus preventing foam disturbance by electrolysis products, in the electrode vicinity. The solution drained from the foam could be collected into two graduated tubes

Dc voltage source was a Hewlett-Packard Model 712-B power supply (0-500 V).

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